2025 Belle II International masterclass

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hands on particle physics





e^+e^- interactions

- photon
- Then they produce a particle P^+ and an anti-particle P^-



 $N(e^+e^- \rightarrow \gamma \rightarrow$

• In the e^+e^- collision the electron and the positron interact exchanging a

• The probability of the interaction is proportional to che charge of P squared:

$$\rightarrow P^+P^-) = Q_P^2 \cdot XY$$



This is the full set of charges:











• $b\overline{b}$ quarks production







$$e^+e^- \rightarrow \gamma \rightarrow \overline{b}b: \left(-\frac{1}{3}\right)^2 \cdot XY$$





- $b\overline{b}$ quarks production
- *cc***production**







$$e^+e^- \to \gamma \to \overline{b}b: \left(-\frac{1}{3}\right)^2 \cdot XY$$
$$e^+e^- \to \gamma \to \overline{c}c: \left(\frac{2}{3}\right)^2 \cdot XY$$

Photon

Positron



- *bb* quarks production
- *cc* production
- $\mu^+\mu^-$ production







Introducing COLORS

• $N(e^+e^- \rightarrow \gamma \rightarrow P^+P^-) = Q_P^2 \cdot XY \cdot N_C^P$

• N_c^P is the number of colors of the particle P









We define: $R = \frac{N(e^+e^- \rightarrow \gamma \rightarrow \text{light quarks})}{\frac{1}{2}[N(e^+e^- \rightarrow \gamma \rightarrow \mu^+\mu^-) + N(e^+e^- \rightarrow \gamma \rightarrow \tau^+\tau^-)]}$



We define:
$$R = \frac{N(e^+e)}{\frac{1}{2}[N(e^+e^- \rightarrow \gamma - \gamma)]}$$

 $e^- \rightarrow \gamma \rightarrow \text{light quarks})$ $\rightarrow \mu^+\mu^-) + N(e^+e^- \rightarrow \gamma \rightarrow \tau^+\tau^-)$

• Substituting all the charges from previous slides $R = \frac{10}{9}N_c$



We define:
$$R = \frac{N(e^+e)}{\frac{1}{2}[N(e^+e^- \rightarrow \gamma - \gamma)]}$$

• From real measurements:

 \boldsymbol{R}

 $\gamma \rightarrow \gamma \rightarrow \text{light quarks}$) $\rightarrow \mu^+\mu^-) + N(e^+e^- \rightarrow \gamma \rightarrow \tau^+\tau^-)$







- From real measurements:
- Now we want to counts the kind of events in our real data sample to calculate R from data ⇒ we can **measure the** number of colors!

 $\neg \rightarrow \gamma \rightarrow \text{light quarks})$ $\rightarrow \mu^+\mu^-) + N(e^+e^- \rightarrow \gamma \rightarrow \tau^+\tau^-)$





Data analysis concepts

- Number of tracks
- Energy deposit in **calorimeter:** all charged particles leaves it, but also γ • Energy deposit in the **muon detector:** only most penetrating particles reach
- the muon detector
- **Missing Energy (***E***):** we expect to be zero if we completely reconstruct the event. However neutrinos are undetected
- Straightness () of the event: how much the event is spherical (low Straightness) or is aligned with an axis.



e⁺e⁻ events: simplified display









e⁺e⁻ events: real event display



e⁺e⁻ events: properties

- **Two** clearly visible tracks
- Deposition of energy in the calorimeter (red signal close to the track)







e⁺e⁻ events: properties

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• Why the e^+e^- are missing in our R-value definition? $R = \frac{N(e^+e^- \to \gamma \to \text{light quarks})}{\frac{1}{2}[N(e^+e^- \to \gamma \to \mu^+\mu^-) + N(e^+e^- \to \gamma \to \tau^+\tau^-)]}$







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- Because $e^+e^- \rightarrow e^+e^-$ scattering is too frequent





$$V(e^+e^- \rightarrow \gamma \rightarrow \tau^+\tau^-)]$$



$\mu^+\mu^-$ events: simplified display









 $\mu^+\mu^-$ events: real event display









μ^- events: properties

- **Two** clearly visible tracks
- Deposition of energy in the calorimeter (red signal close to the track)
- Deposition of energy in the muon detector (green) signals along the outer track!)











$\tau^+\tau^-$ events: simplified display







 $\tau^+\tau^-$ events: real event display







$\tau^+\tau^-$ events: properties

- The τ s **decay** shortly after their creation within the detector
- There are several possible decay possibilities:
 - decay into **charged lepton + neutrinos**
 - decay into **light quarks + neutrinos**
- Variable number of tracks. 2 or 4 with a "fork structure" are the most common
 - high straightness 🔪
- Deposition of energy in the calorimeter (red signal close to the track)
- Sometimes deposit of energy in the muon detector (green signals) along the outer track)









light qq events: simplified display









light $q\bar{q}$ events: real event display



Belle II Masterclass: Beispiele: Leichte Quarks

Wie viele Farben hat ein Quark?



Belle II Masterclass: Beispiele: Leichte Quarks

Wie viele Farben hat ein Quark?

light $q\overline{q}$ events: properties

- Decay into a large variety of final states
- Variable number of tracks, large number is more frequent
- Straightness \sqrt{smaller} than leptonic decays
- Deposition of energy in the calorimeter (red signal close to the track)
- Sometimes deposit of energy in the muon detector (green signals along the outer track)





bb events: simplified display









bb events: real event display





Belle II Masterclass: Beispiele: $b\overline{b}$

Wie viele Farben hat ein Quark?

bb events: properties

- Decay into a large variety of final states
- Variable number of tracks, large number is more frequent
- Heaviest particles possible: high energy ⇒a lot of tracks
- Very low straightness \screwts: "spherical" events than leptonic decays
- Sometimes neutrinos are produced: missing energy <u>F</u>
 in some but not all the events
- Deposition of energy in the calorimeter (red signal close to the track)
- Sometimes deposit of energy in the muon detector (green signals along the outer track)

S

s**tates** umber is more





Comparison: $e^+e^- vs b\overline{b}$







Comparison: $q\overline{q}$ vs $b\overline{b}$





Comparison: $q\overline{q}$ vs $\tau^+\tau^-$







R-value again

• Why we have no *bb* in our R-value definition? $R = \frac{N(e^+e^- \to \gamma \to \text{light quarks})}{\frac{1}{2}[N(e^+e^- \to \gamma \to \mu^+\mu^-) + N(e^+e^- \to \gamma \to \tau^+\tau^-)]}$



R-value again

• Why we have no $b\overline{b}$ in our R-value definition?

$$R = \frac{N(e^+e^- \to \gamma \to \text{light})}{\frac{1}{2}[N(e^+e^- \to \gamma \to \mu^+\mu^-) + N(e^+e^-)]}$$

- Because at Belle II we are running at center-of-mass energy of Υ(4S) resonance, just at BB threshold (B is a meson with a b quark)
- The production of b is enhanced there
- This makes Belle II a "B-factory"



Large numbers importance

- Every measurement is affected by uncertainty
- The collision process $e^+e^- \rightarrow XYZ$ is stochastic:
 - the individual decay can not be predicted
 - the **statistical behaviour** can be!
- You have to repeat a measurement a lot of times, reducing the statistical uncertainty





Summary scheme







How many colors does a quark come in?

The exchange particle of the electroweak force is the photon. It couples to particles with an electromagnetic charge. This charge can either be positive or negative. The exchange particle of the strong force, the gluon, couples just like the to particles that carry a so called **color charge**.

Today we want to experimentally determine the number of possible color charges (or simply colors) with data of the Belle II experiment.

To that end we should first approach the subject from the theoretical side. To start with we should take a look at the so called *R*-value.

• What is the *R*-value?

After that we're ready to look at the experimental measurement, to determine the number of color charges.

- Example Events
- Practice Task
- Measurement with data from the Belle II experiment





Worksheet (also printed)



Belle II Masterclass

In this masterclass we want to investigate how many different quark color charges exist. For this purpose, it is worth to take some time to understand what exactly happens during an e^+e^- collision. Especially important for us is the type of particles that can be created and how often this happens.

If a particle and antiparticle collide (like in this example an electron e^- and a positron e^+), they "annihilate" to a state of pure energy: a photon. Subsequently, this photon can use the energy to create an arbitrary particle P as well as an antiparticle \overline{P} as long as the energy is high enough.







Example events, with video/ explanation for each category

Main task: every group picks a dataset, categorizes the the events and report the results in the linked table

Select the data set that the facilitators assigned to you out of the ones linked below. Try to sort all of the 50 events from the set. Like in the practice task, it is helpful to use the event-identification-flowchart for that.

chose between datasets:

Extra: quark colors game

- If you finish in advance there is the quark-colors game:
- <u>https://online.schule.physik.uni-mainz.de/teilchenspiele/farbspiel/</u>

Farbspiel

Quarks besitzen nicht nur eine ungerade Ladung sondern auch eine sogenannte Farbladung. Es hat sich herausgestellt das Teilchen die aus Quarks bestehen immer farbneutral sind, das bedeutet ihre Farbe, wenn man die Einzelfarben der Quarks addiert, ist immer weiß. Das bedeutet auch, dass Quarks nie alleine existieren können. Sie brauchen immer mindestens einen Partner. In diesem Farbspiel ist es eure Aufgabe. Die Quarks ist so miteinander zu verbinden, dass die zusammengesetzten Teilchen immer farbneutral sind. Beachtet dabei, dass die anti-Farben von rot, grün und blau, also antirot, antigrün und anti-blau, hier durch die Farben cyan, magenta und gelb dargestellt werden. Schafft ihr es alle Quarks miteinander zu kombinieren

Schwierigkeitsgrad:

- Einfach (nur Farbladung)
- Schwerer (Farbladung und elektrische Ladung)

Neustart

⁰ Teilchen von 47 Teilchen zugeordnet

Das Modell der Farbmischung wurde auf die Elem

Now is your turn!

BACKUP SLIDES

