

Detector Characterisation: Irradiation and Test Beam

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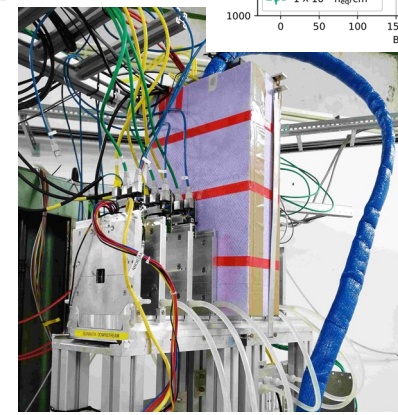
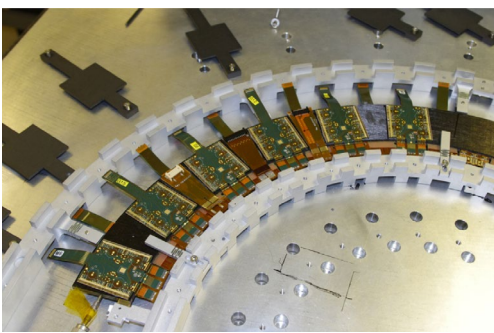
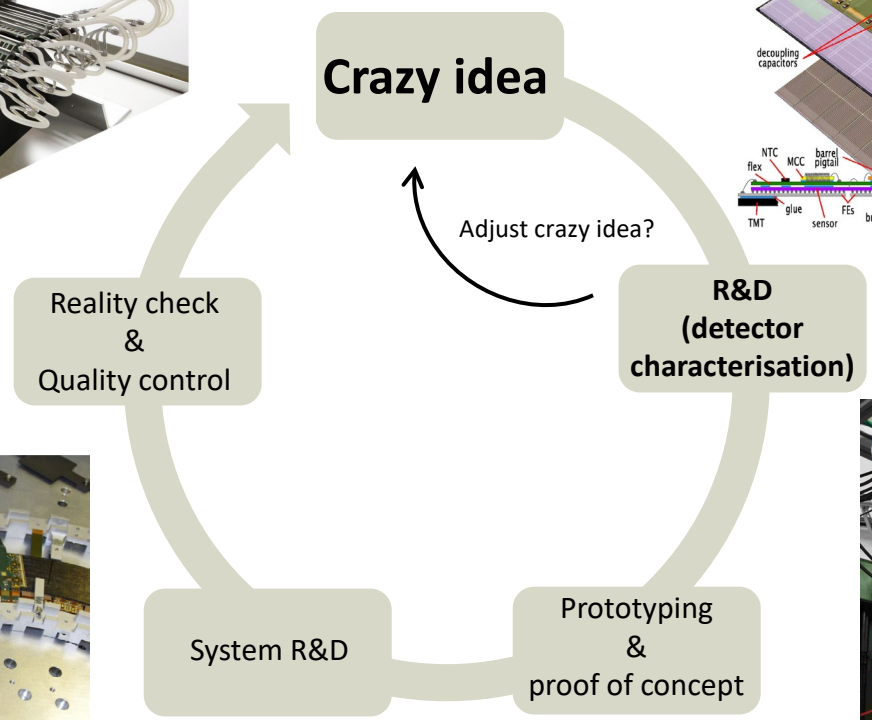
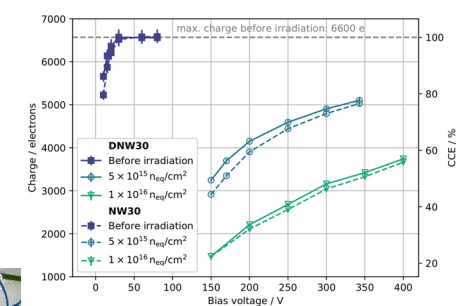
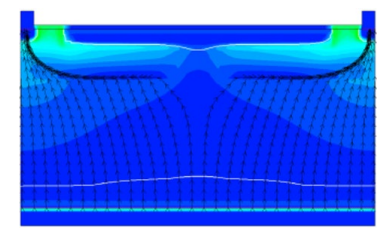
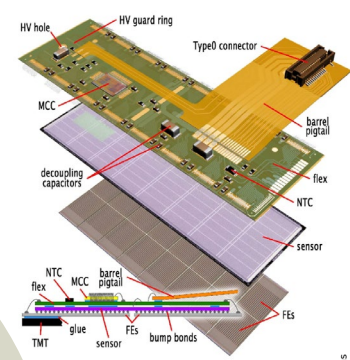
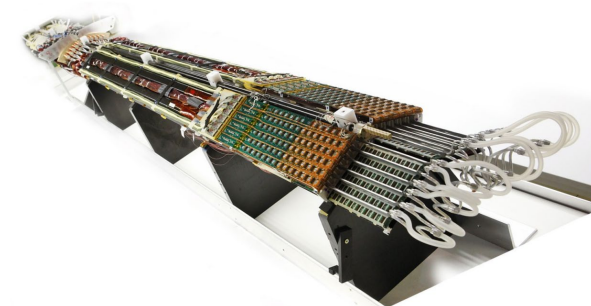


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THESSALONIKI

WHY IS DETECTOR CHARACTERISATION IMPORTANT?

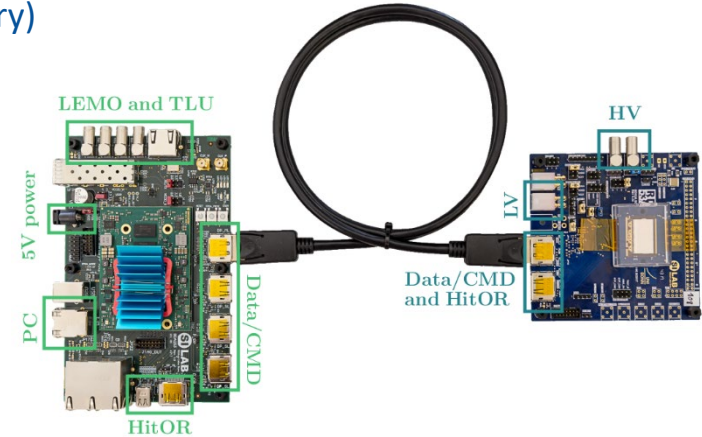
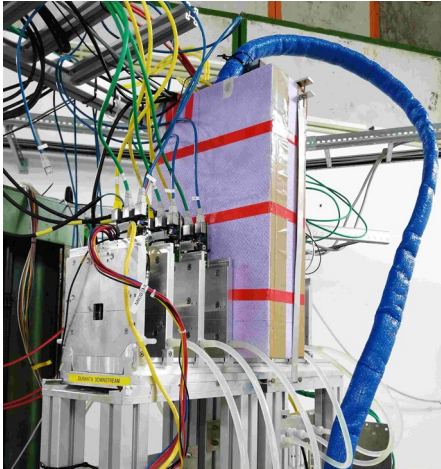


LAB TESTING AND TEST BEAM

Typically, new device is characterised in lab and in test beam (complementary)

Lab characterisation (,simple' table-top setup in lab):

- Current vs. voltage characteristic (IV-curve)
- Optimisation of device settings/configuration (power, threshold, speed, noise, ...)
- Calibration of detector with radioactive sources or x-ray tube (photons with well known energy)

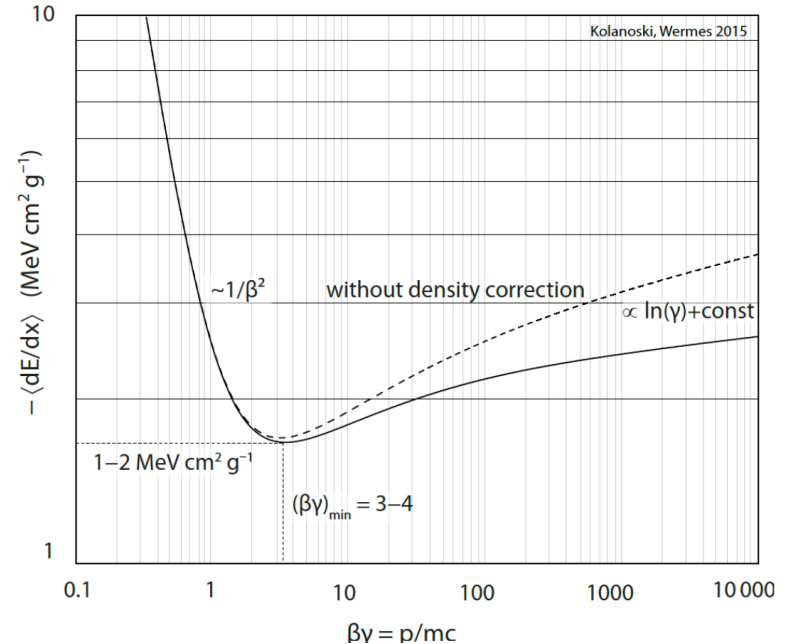


Test beam (,complex' setup at external facility):

- Spatial and time resolution of detector
- Detailed studies of efficiency and charge collection (within pixels)
- System integration tests (readout of several detectors in parallel or testing of larger subsystems)

BASICS: INTERACTION OF PARTICLES WITH MATTER

- Restrict here to **charged** particles
- (Mean) energy loss of charged particles in matter described by Bethe-Bloch
- Broad minimum at $\beta\gamma = 3 \rightarrow$ „minimum ionising particles“ (MIP)
- In practice, all particles $\beta\gamma > 3$ are considered as MIPs
- MIPs are what we use for test beam measurements!
 - a few GeV electrons
 - 120 GeV hadrons

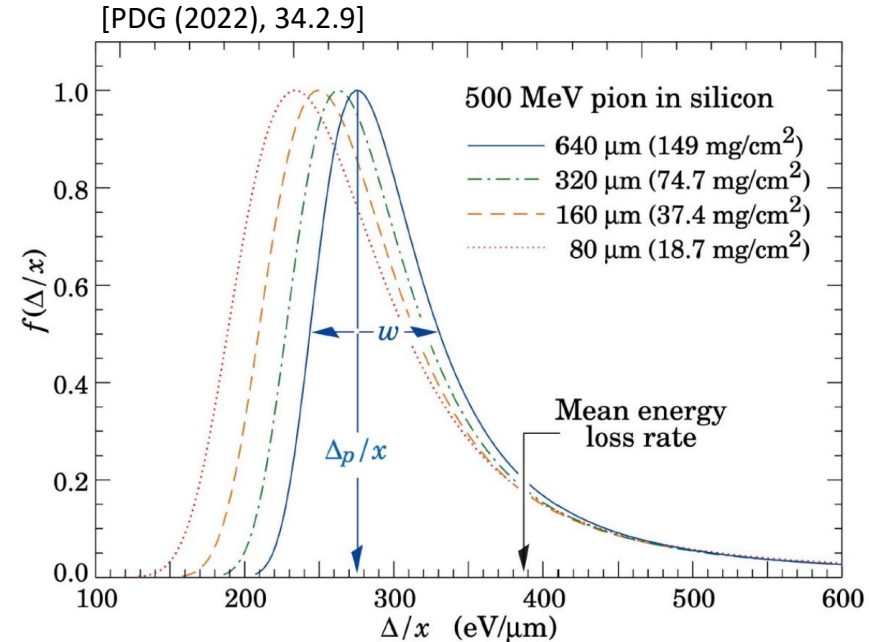


BASICS: INTERACTION OF PARTICLES WITH MATTER

- Bethe-Bloch describes the **mean** energy loss, but actually that's not a good estimator to quantify energy loss!
- Energy loss fluctuates -> Landau distribution
 - **Number fluctuations** -> number of collisions varies
 - **Energy-transfer fluctuations**
- Most-probable value (MPV) is more stable wrt. to fluctuations
- In silicon, MPV is ~ 75 e/h per μm (depends on thickness!)

$$\Delta_p = \xi \left[\ln \frac{2mc^2\beta^2\gamma^2}{I} + \ln \frac{\xi}{I} + j - \beta^2 - \delta(\beta\gamma) \right]$$
$$\xi = (K/2) \langle Z/A \rangle z^2 (x/\beta^2) \quad [\text{PDG (2022), 34.2.9}]$$

$$w_i = 3.65 \text{ eV} \quad (\text{in Silicon})$$



IRRADIATION

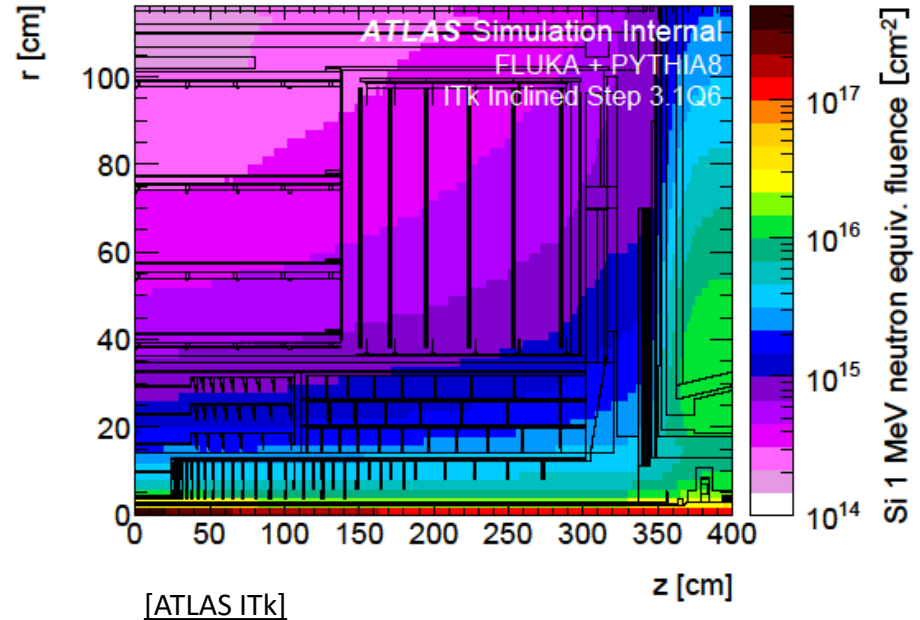
We will only talk about **bulk damage**

IRRADIATION

- Reminder: **1 MeV neutron-equivalent fluence**: Φ_{eq} [n_{eq}/cm^2]
→ Amount of radiation damage caused by 1 MeV neutrons with fluence Φ_{eq}
- Why is this important?

Fluences in HEP experiments can reach up to $10^{16} n_{eq}/cm^2$ after life time of detectors

We need to make sure that performance of detector is still fulfilling the requirements!



IRRADIATION FACILITIES: HOW?

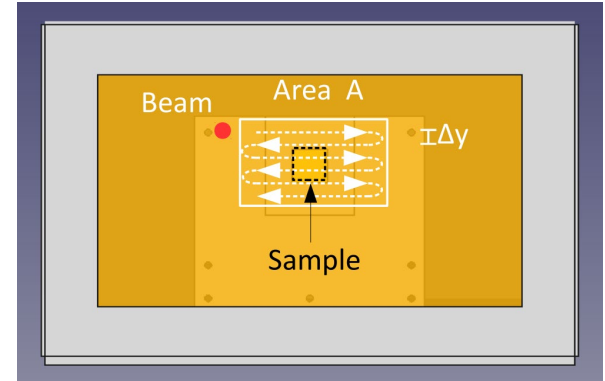
- Irradiation facility provides particle beam (e.g. protons)
- Install device under test in beam and shoot particles onto it

$$\phi_p = \frac{I_p \cdot t}{e \cdot A}$$

$$\kappa = \frac{\phi_{neq}}{\phi}$$

Hardness factor scales
fluence to neutron-
equivalent fluence (NIEL
scaling)

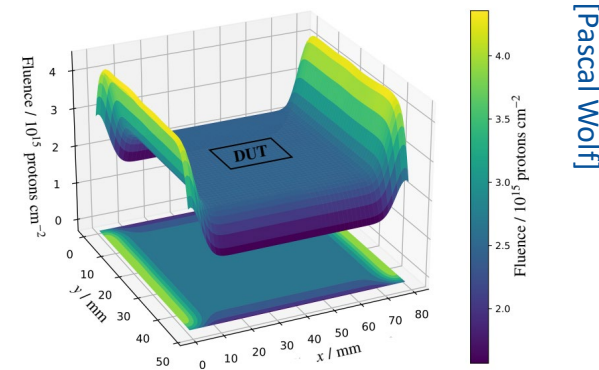
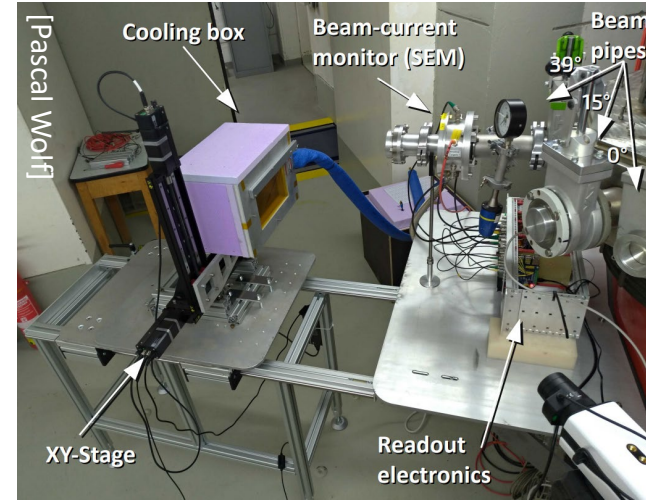
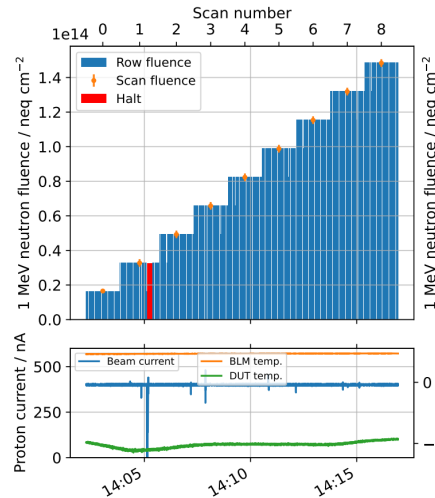
- By measuring the beam current we can then estimate how much „damage“ we create in the detector material
 - Typically, a homogenous irradiation over the detector is wanted
- > Move the device in beam („scanning“)



[Pascal Wolf]

IRRADIATION SITES: SOME EXAMPLES

- A very nice irradiation facility is Bonn at the Isochronous Cyclotron at HISKP
 - Provides protons, deuterons, alphas... up to ^{12}C
 - 7 MeV – 14 MeV per nucleon
- Mostly proton beam is used for irradiation:
 - A few nA to 1 uA beam current
 - Gaussian beam profile (up to 2 cm FWHM)
 - Flux (1 uA) = $6 \times 10^{12} \text{ s}^{-1}\text{cm}^{-2}$
- Live monitoring: precise knowledge of fluence and feedback
- Homogeneous application of fluence
- 5×10^{15} within 60 min (for a 2 cm² sample)



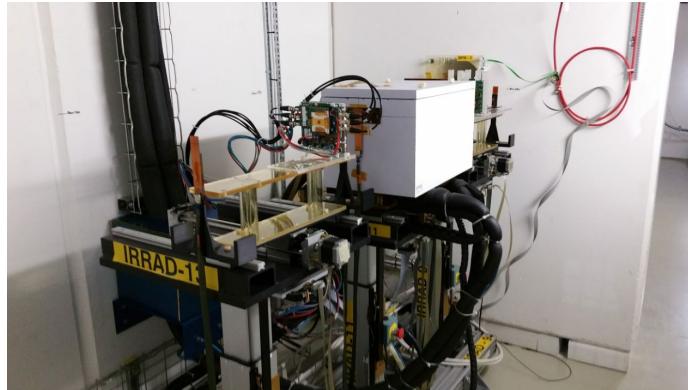
IRRADIATION SITES: SOME EXAMPLES

Of course there are many other facilities...

27 MeV protons at MC40
Cyclotron in Birmingham...

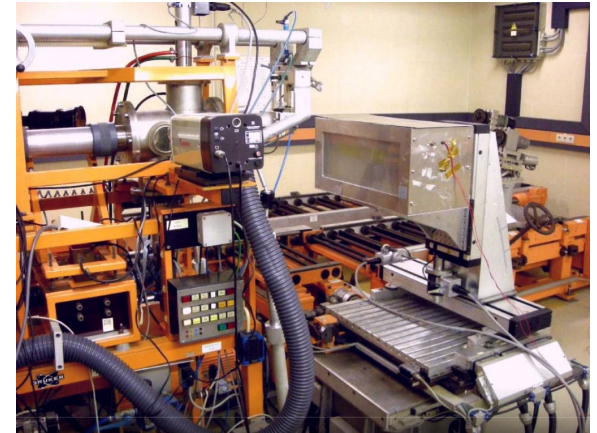


23 GeV protons at IRRAD proton
facility at CERN (PS)...



A nice summary of the
irradiation sites

24 MeV protons at KIT
irradiation facility in Karlsruhe...



RADIATION DAMAGE: BULK DAMAGE

Leakage current

- Operation temperature
- Electronic noise
- DC current

Trapping

- Smaller charge signal

Doping concentration

- Bias voltage
- Drift field change

1 MeV neutron-equivalent fluence: Φ_{eq} [$n_{\text{eq}}/\text{cm}^2$]

→ Amount of radiation damage caused by 1 MeV neutrons with fluence Φ_{eq}

RADIATION DAMAGE: BULK DAMAGE

Leakage current

- Operation temperature
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$$I_{\text{leak}} = \alpha V \phi_{\text{eq}}$$

→ leakage current scales with fluence

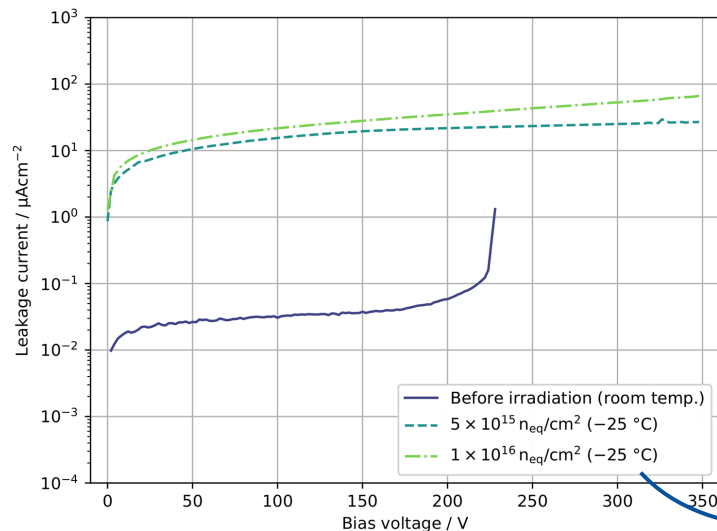
→ drastic increase in leakage current

$$I_{\text{leak}} \sim T^2 \exp(-E_a/2k_B T)$$

→ cool detectors!

$$\text{ENC}_{\text{shot}} \sim \sqrt{I}$$

→ Increased electronic noise



Use a climate chamber

RADIATION DAMAGE: BULK DAMAGE

Leakage current

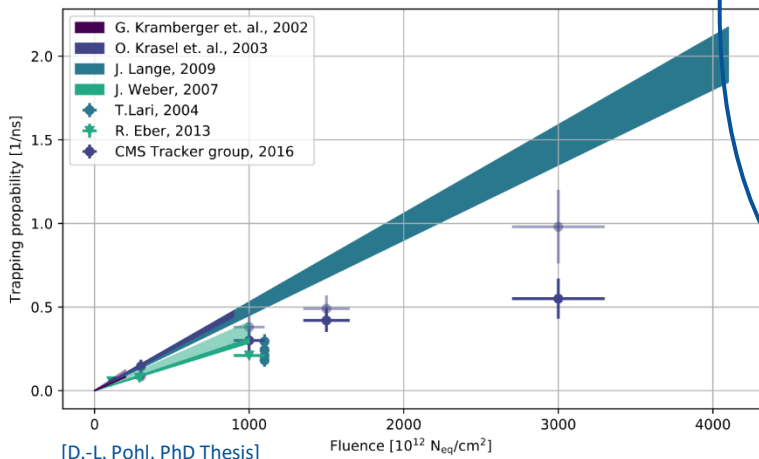
- Operation temperature
- Electronic noise
- DC current

Trapping

- Smaller charge signal

Doping concentration

- Bias voltage
- Drift field change



Effective trapping: „sum over all traps with emission times larger than integration time of R/0“

$$\frac{1}{\tau_{\text{eff},e/h}} = \frac{1}{\tau_0} + \beta_{e/h}\phi_{eq}$$

→ Trapping probability scales with fluence

$$Q(t) = Q_0 \exp\left(-\frac{t}{\tau_{\text{eff},e/h}}\right)$$

→ Fast charge collection

RADIATION DAMAGE: BULK DAMAGE

Leakage current

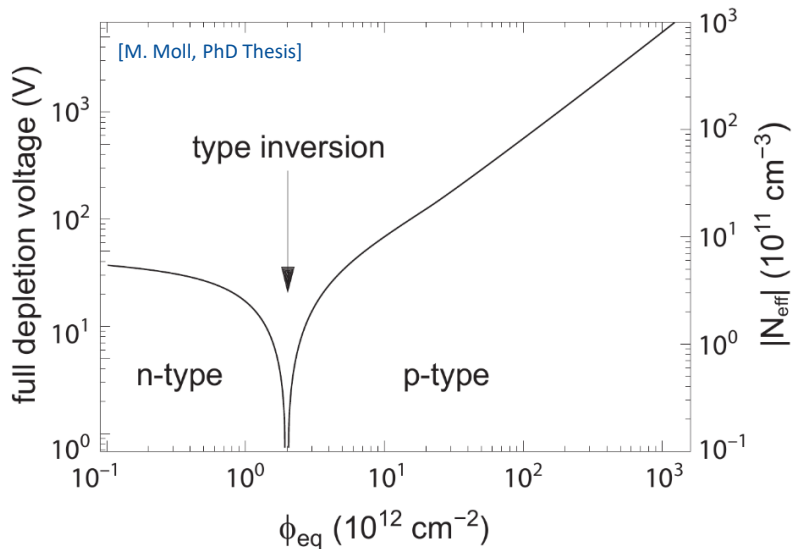
- Operation temperature
- Electronic noise
- DC current

Trapping

- Smaller charge signal

Doping concentration

- Bias voltage
- Drift field change



$\Delta N_C = N_{C,0} (1 - e^{-c\phi_{eq}}) + g_C \phi_{eq}$
→ For $\Phi_{eq} > 10^{13}$ n $_{eq}$ /cm 2 :
effective doping concentration scales
with fluence

$$d \sim \sqrt{\frac{V_{bias}}{N_{eff}}}$$

→ Larger bias voltage
required to sufficiently deplete the
detector

RADIATION DAMAGE: BULK DAMAGE

Leakage current

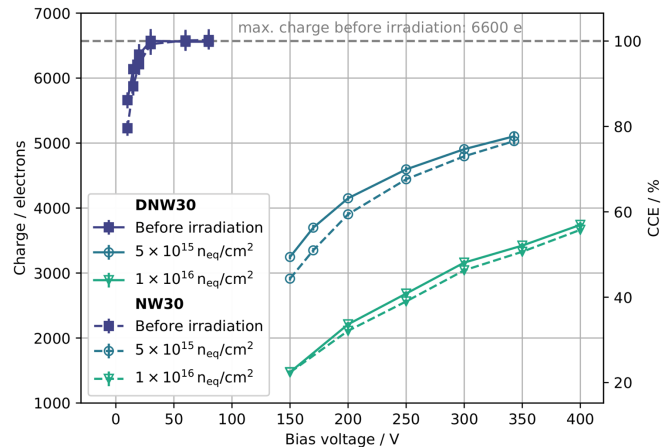
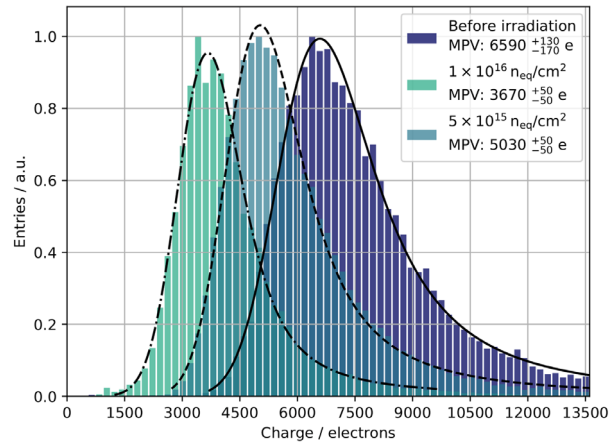
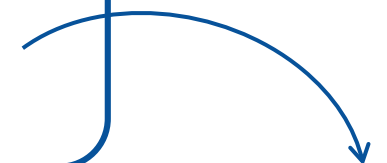
- Operation temperature
- Electronic noise
- DC current

Trapping

- Smaller charge signal

Doping concentration

- Bias voltage
- Drift field change



$\Delta N_C = N_{C,0} (1 - e^{-c\phi_{eq}}) + g_C \phi_{eq}$
 \rightarrow For $\Phi_{eq} > 10^{13}$ n_{eq}/cm²:
 effective doping concentration scales with fluence

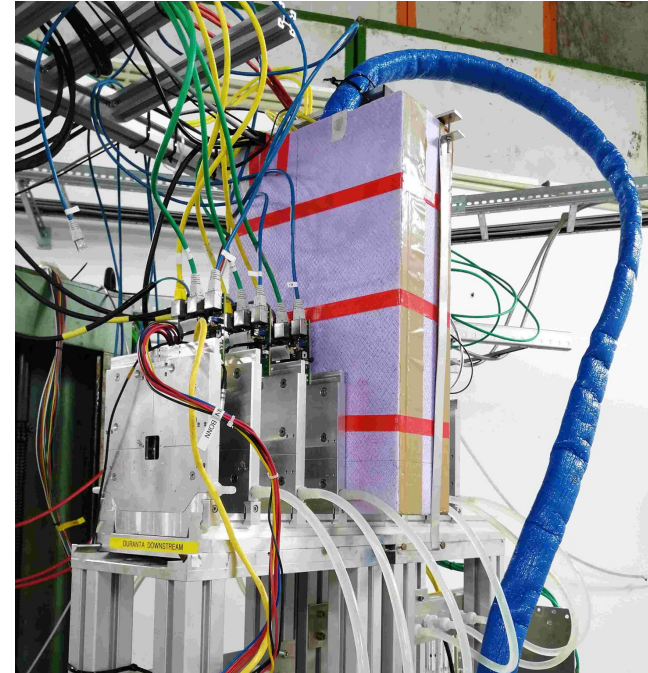
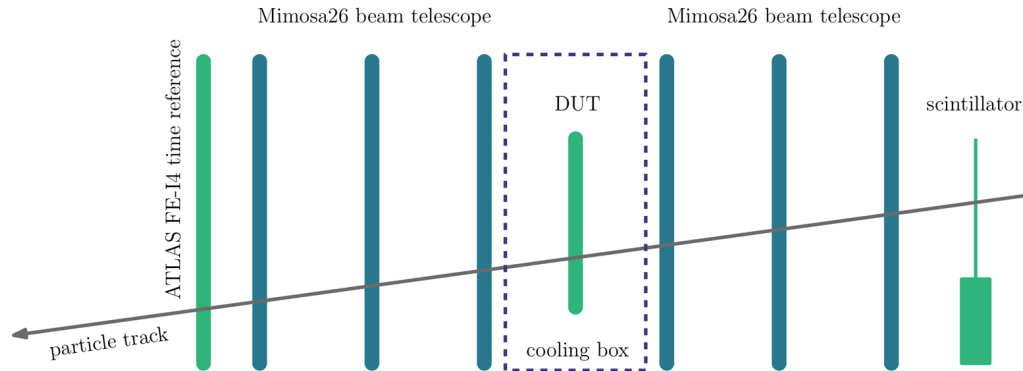
$$d \sim \sqrt{\frac{V_{bias}}{N_{eff}}}$$

\rightarrow Larger bias voltage required to sufficiently deplete the detector

TEST BEAMS

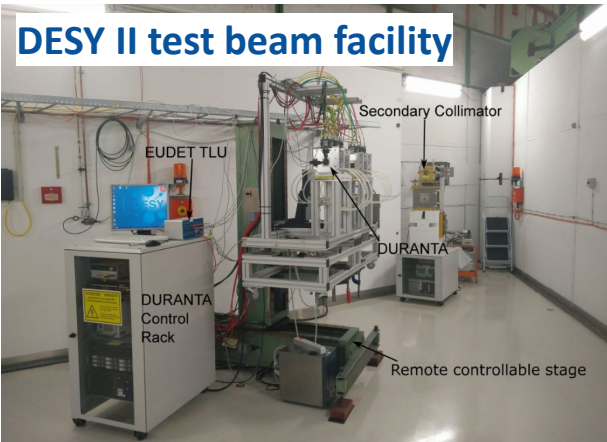
TEST BEAMS

- Goal: Measure reponse of detector under test (DUT) to particle beam (MIPS)
 - Interested in measuring ...
 - ... Hit detection efficiency
 - ... Temporal resolution
 - ... Spatial resolution
 - ... Charge collection properties
- all versus detector parameters (detection threshold, bias voltage, ...)



TEST BEAM FACILITIES

Many test beam facilities available...



DESY II test beam facility

- bremsstrahlung converted electron beam
- several beam lines with 1 – 5 GeV electron beam
- a few kHz beam rate

SPS North Area beam facility

- converted beam from SPS
- several beam lines with high energetic protons (400 GeV)
- beam has spill structure from SPS
- 5 – 10 sec. spill length (1 spill every 14 – 60 sec)



ELSA test beam facility

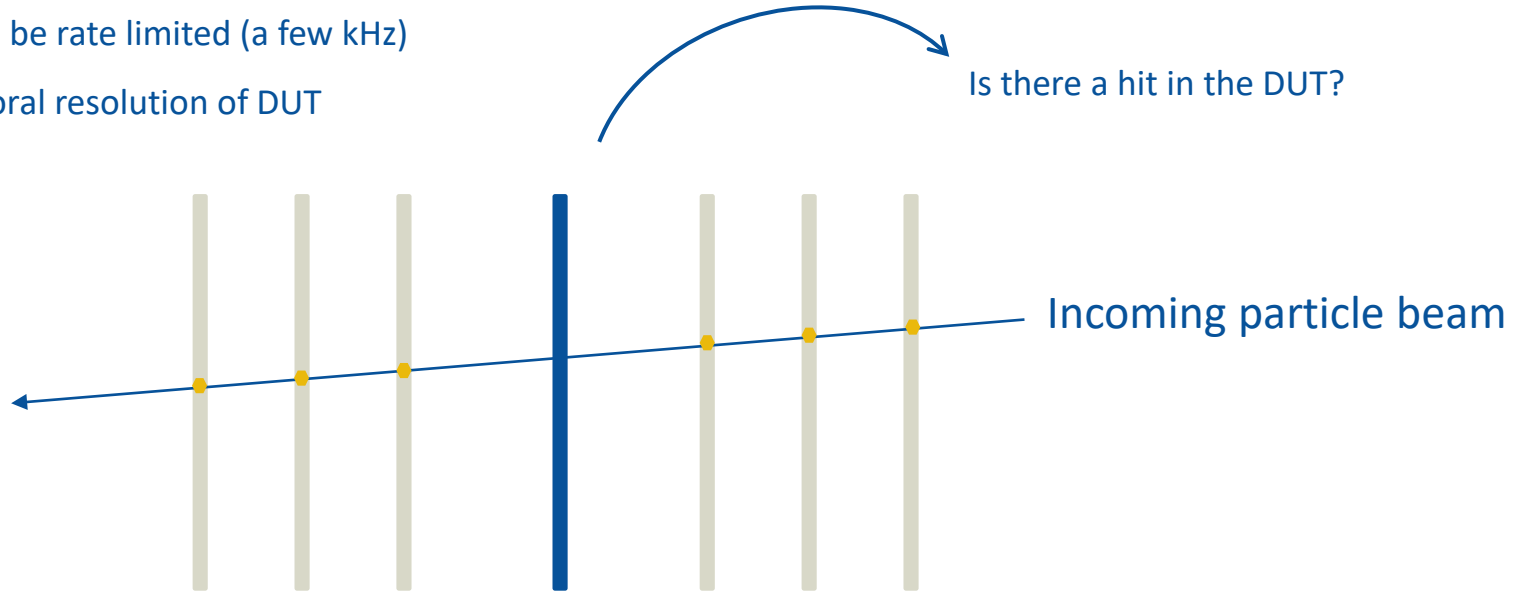


ELSA test beam facility

- primary electron beam
- single extraction line provides 3 GeV electron beam
- user-adjustable beam rate ranging from 1 Hz – 625 MHz
- Spill duty cycle (80 %)

BEAM TELESCOPE

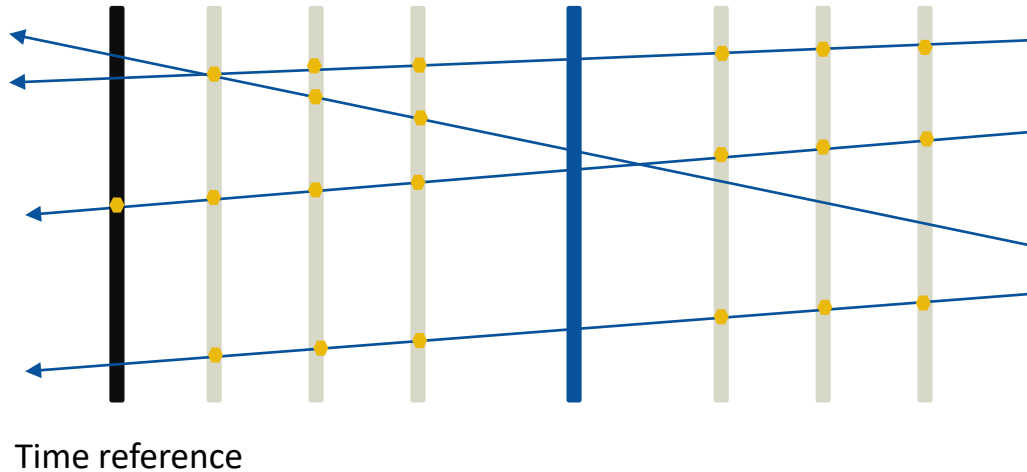
- Aim of beam telescope is to track incoming particle beam and extrapolate trajectory on DUT
- Several pixel detectors with excellent spatial resolution (a few μm)
- Optional: good timestamping capabilities (ns - μs)
 - Do not want to be rate limited (a few kHz)
 - Study of temporal resolution of DUT



BEAM TELESCOPE: TIME REFERENCE

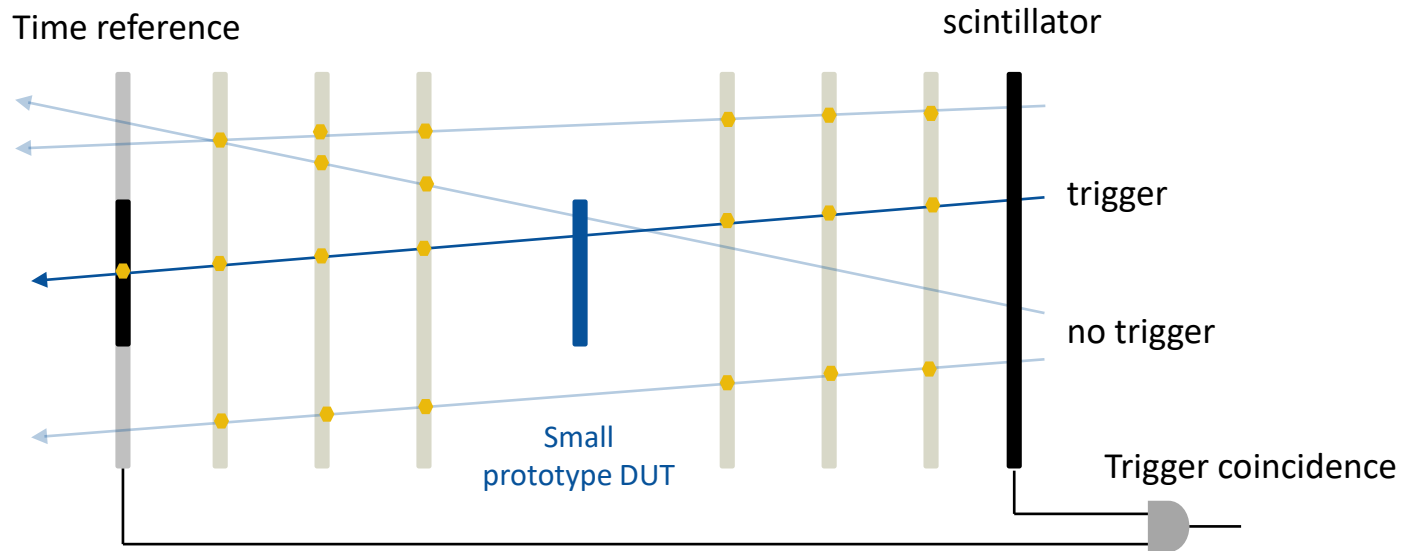
- Typical time resolution of (current) beam telescope not sufficient (a few hundred us)
- Several tracks are „integrated“ -> track ambiguity (track multiplicity)
- Use high precision timing layer to disentangle track multiplicity

Snapshot of one event



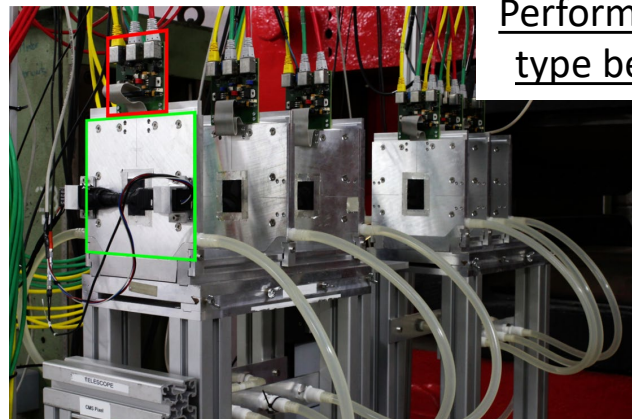
BEAM TELESCOPE: TIME REFERENCE

- Typical time resolution of (current) beam telescope not sufficient (a few hundred us)
- Several tracks are „integrated“ -> track ambiguity (track multiplicity)
- Use high precision timing layer to disentangle track multiplicity
- We can also use this additional layer as „**region of interest**“ (ROI)



EXAMPLE OF A BEAM TELESCOPE

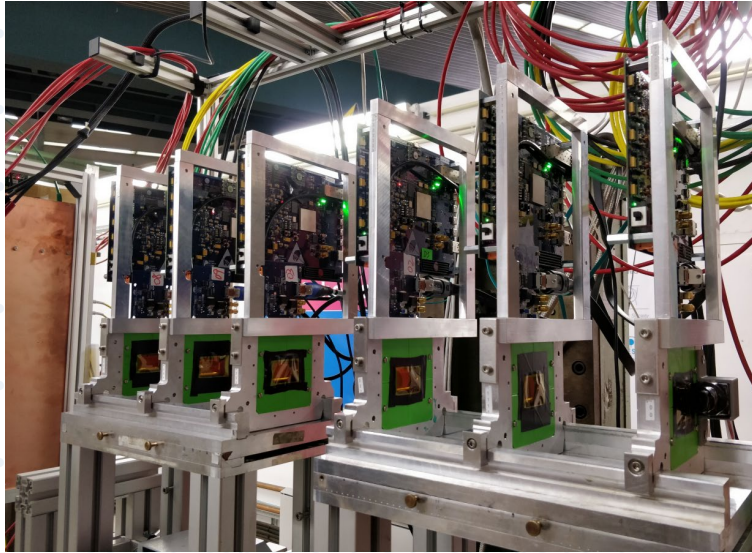
- EUDET-type beam telescope available since years
- Highly used tool for device characterisation in test beams
 - Several copies of the telescope at various places
Bonn, CERN, SLAC, DESY, ...
- Consisting of 6 high resolution MIMOSA26 sensors (MAPS)
- Great track resolution of a few μm and very little material budget ...
- Charge collection mainly due to diffusion (20 μm epi-layer)
- ... but slow (rolling shutter readout)



More about
Performance of EUDET
type beam telescope

	Mimosa 26
Chip sensitive size	21.2 mm \times 10.6 mm
Chip thickness	50 μm to 70 μm
Pixel pitch	18.4 mm \times 18.4 μm
Pixel matrix	1152 \times 576
Detection efficiency	>99 %
Fake-hit rate	$\sim 10^{-4}$ pixel $^{-1}$ event $^{-1}$
Typical frame readout time	115.2 μs

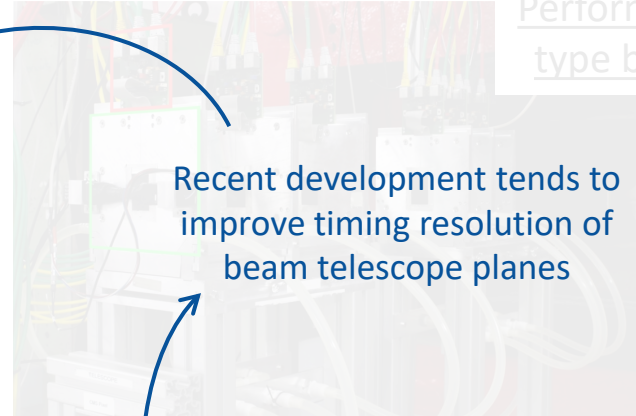
EXAMPLE OF A BEAM TELESCOPE



Bonn, CERN, SLAC, DESY, ...

[More about beam telescope built from ALPIDE chips](#)

[More about Performance of EUDET type beam telescope](#)



Recent development tends to improve timing resolution of beam telescope planes

	Mimosa 26	ALPIDE
Chip sensitive size	21.2 mm × 10.6 mm	13.8 mm × 29.9 mm
Chip thickness	50 μm to 70 μm	50 μm to 100 μm
Pixel pitch	18.4 mm × 18.4 μm	26.88 mm × 29.24 μm
Pixel matrix	1152 × 576	512 × 1024
Detection efficiency	>99 %	>99 %
Fake-hit rate	$\sim 10^{-4}$ pixel ⁻¹ event ⁻¹	$< 10^{-6}$ pixel ⁻¹ event ⁻¹
Typical frame readout time	115.2 μs	10 μs

TRACK RECONSTRUCTION

TRACK RECONSTRUCTION OVERVIEW

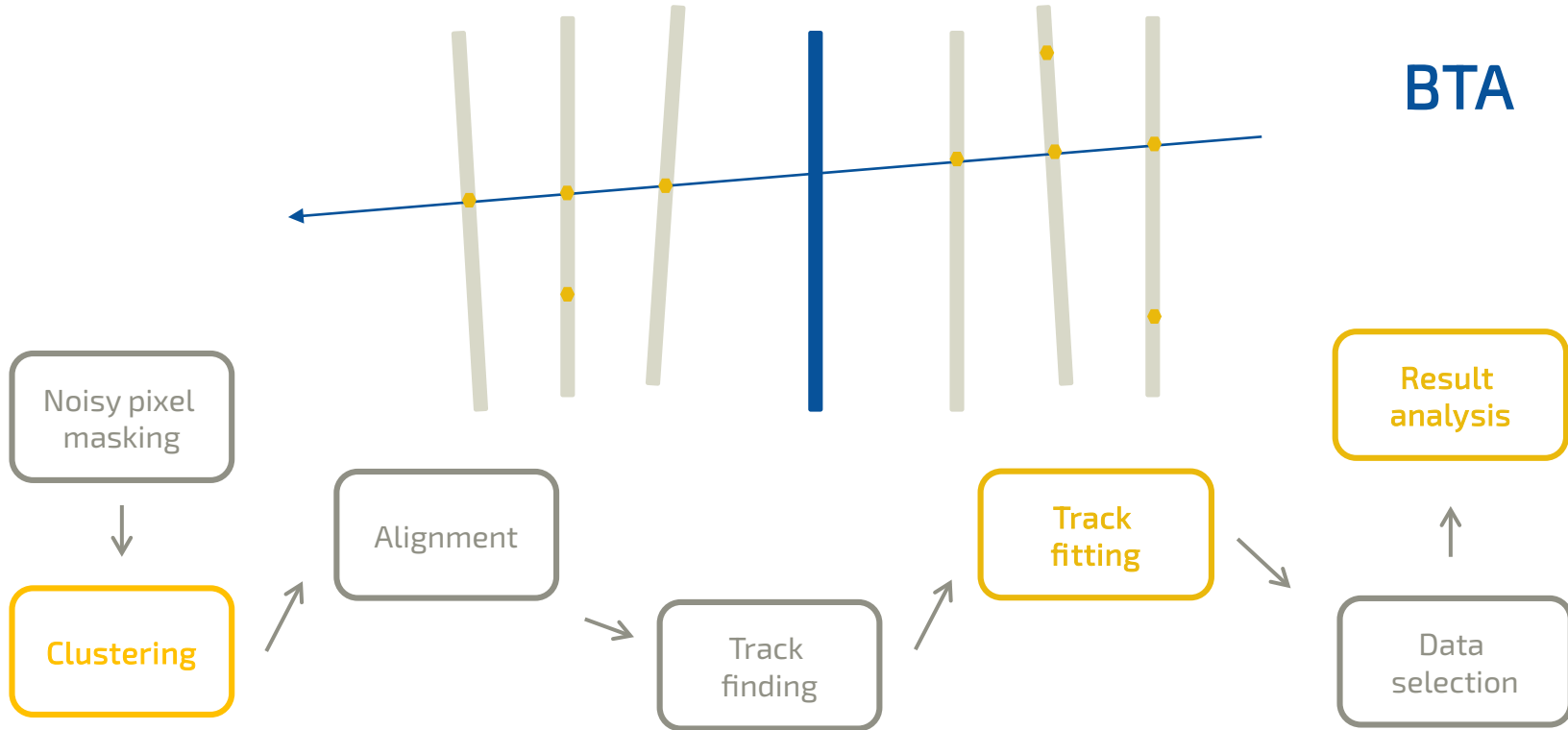
... from hits to reconstructed tracks...



Corryvreckan

BTA

Beam
telescope
analysis

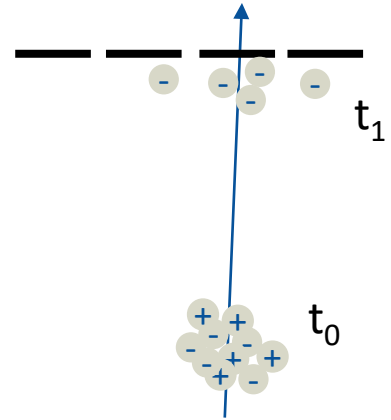


CLUSTERING

- Cluster: Accumulation of (neighboring) pixel hits from the same particle („charge sharing“)

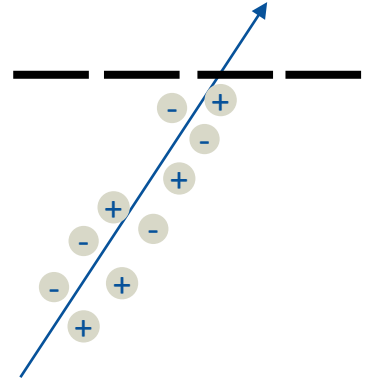
... due to lateral **charge carrier diffusion** $\sigma(t) = \sqrt{2Dt} \sim \text{few } \mu\text{m!}$

... large track angles (particle crosses several pixels)



CLUSTERING

- Cluster: Accumulation of (neighboring) pixel hits from the same particle („charge sharing“)
 - ... due to lateral charge carrier diffusion $\sigma(t) = \sqrt{2Dt}$
 - ... **large track angles** (particle crosses several pixels)



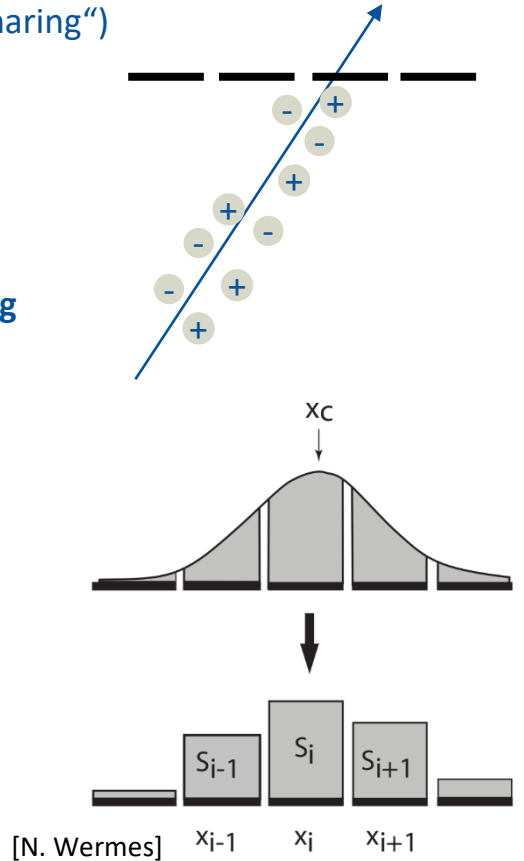
CLUSTERING

- Cluster: Accumulation of (neighboring) pixel hits from the same particle („charge sharing“)
 - ... due to lateral charge carrier diffusion $\sigma(t) = \sqrt{2Dt}$
 - ... large track angles (particle crosses several pixels)
- For track reconstruction we need to combine these hits into single (x,y) -> **clustering**
- Typically, use „centre-of-gravity“ method (if charge information available)

$$x_{rec} = \frac{\sum S_i x_i}{\sum S_i}$$

- Position resolution can improve with „centre-of-gravity“ method

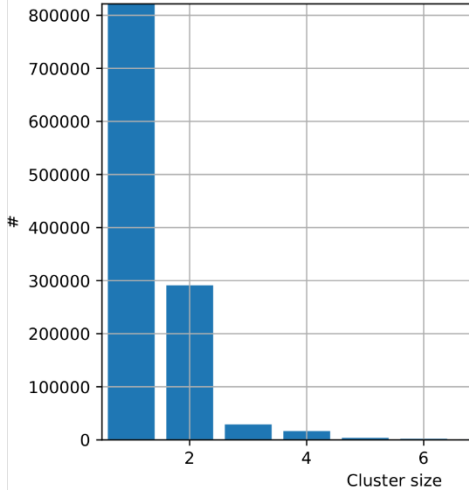
$$\sigma_x = a/\sqrt{12} \quad (\text{Binary hit resolution})$$



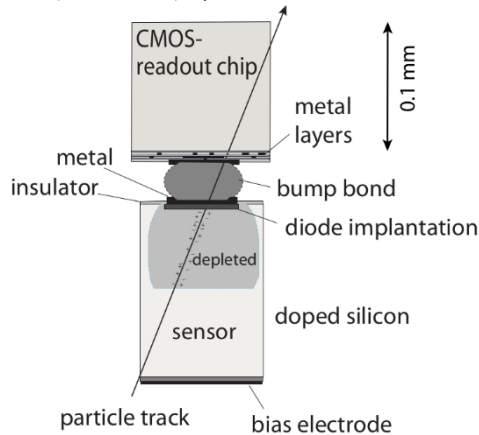
CLUSTER SIZE DISTRIBUTIONS

... some real examples

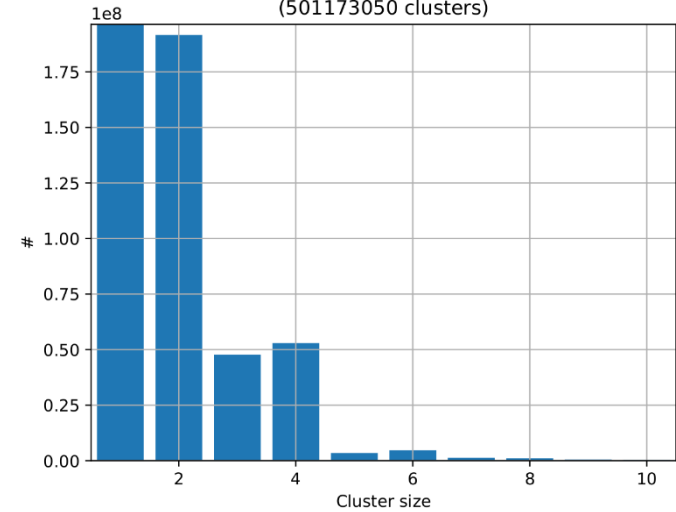
Cluster sizes for RD53A Passive LF-CMOS
(1168338 clusters)



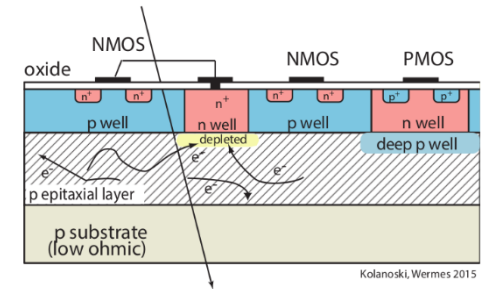
Largely depleted „hybrid“
pixel detectors
-> mostly drift



Cluster sizes for Telescope 3
(501173050 clusters)



Very small depleted volume
in MAPS
-> **Mainly diffusion**
(charge sharing)



Kolanoski, Wermes 2015

TRACKING

- Goal of tracking: Get optimal (least χ^2) estimate of track parameters using the hit information
- Simplest case is straight line:

$$x = t_x z + x_0$$

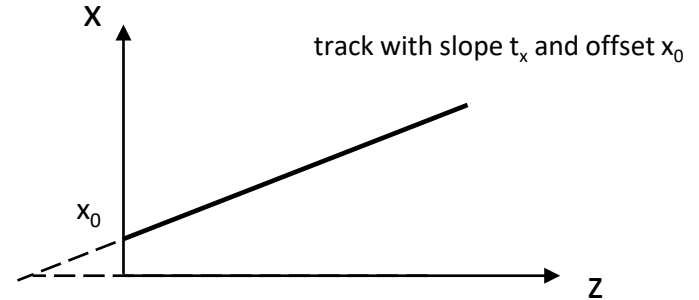
$$y = t_y z + y_0$$

$$S = \sum_{i=1}^N \frac{(\xi_i^{\text{meas}} - \xi_i^{\text{fit}}(\theta))^2}{\sigma_i^2}$$

(Assuming diagonal covariance matrix)

- At least two points required to determine track parameters

$$p_k = \begin{pmatrix} x \\ y \\ t_x \\ t_y \end{pmatrix}$$



DIRECTION UNCERTAINTY: POSITION RESOLUTION

- If we have only two measurements, we can derive the direction uncertainty analytically

$$b = \frac{x_2 - x_1}{z_2 - z_1} = \frac{x_2 - x_1}{D}$$

- Each position measurement has intrinsic detector resolution
- Direction uncertainty then becomes:

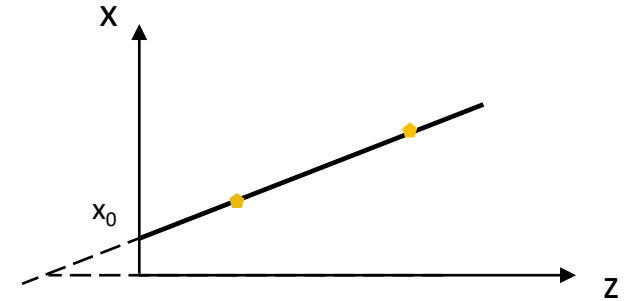
$$\begin{aligned}\sigma_b &= \sqrt{\sigma_{x_1}^2/D^2 + \sigma_{x_2}^2/D^2} \\ &= \frac{\sqrt{2}\sigma_{\text{meas}}}{D}\end{aligned}$$

- For N layers:

$$\sigma_b = \frac{\sigma_{\text{meas}}}{D} \sqrt{\frac{12(N-1)}{N(N+1)}}$$

This is why we would like to have several planes with good intrinsic position resolution

In reality, we have to consider multiple scattering!

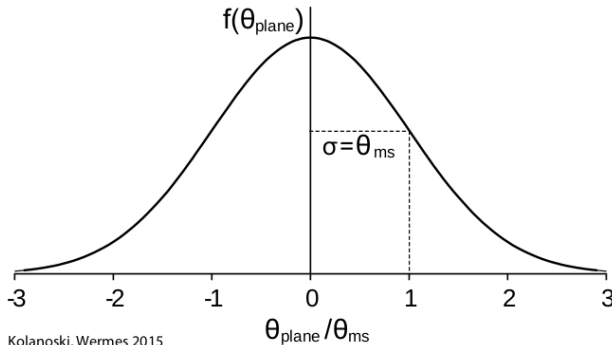


TRACKING: MULTIPLE SCATTERING

- Multiple Coulomb scattering: scattering of particles in the Coulomb field of nuclei (Rutherford cross section)
- Typically we can neglect „offset“ y_{plane}
- RMS-value of scattering angle can be approximated by

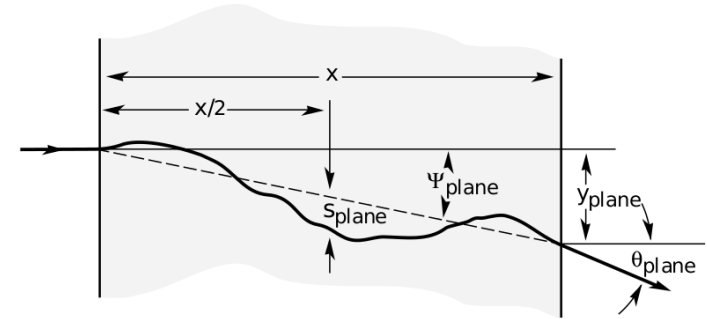
$$\theta_{ms} = \frac{13.6 \text{ MeV}/c}{p\beta} z \sqrt{\frac{x}{X_0}} \left(1 + 0.038 \ln \frac{x}{X_0} \right) \quad \text{[Lynch and Dahl]}$$

„material budget“

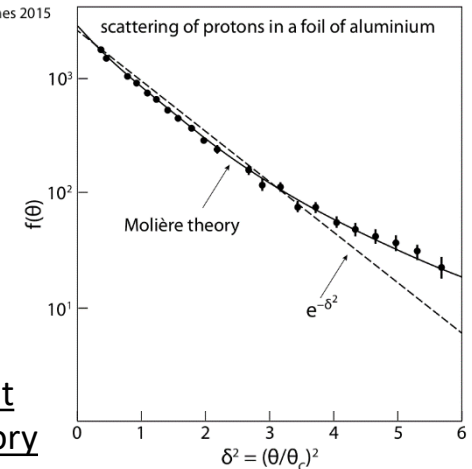


Kolanoski, Wermes 2015

Multiple scattering limits spatial resolution -> want high energetic particle beam



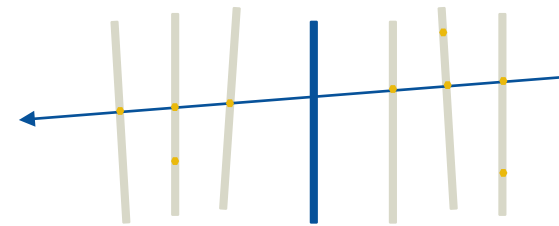
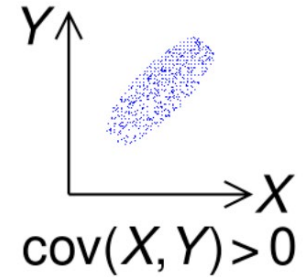
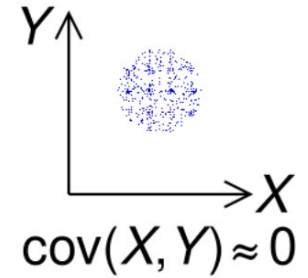
Kolanoski, Wermes 2015



More about Molière theory

TRACKING: MULTIPLE SCATTERING

- How to include multiple Coulomb scattering tracking? -> **covariance matrix**
- **Covariance:** „How much two random variables vary together“
- **Covariance matrix allows to describe correlation between scattering angles and track parameters**
- Global fit method („all at once“):
 - Requires inversion of $n \times n$ covariance matrix (n : number of measured coordinates)
 - Computationally expensive! ($\sim n^3$)
- Local method (recursive track fitting, „step by step“):
 - Assume scatterings only at several detector planes
 - Propagate track state iteratively from detector to detector
 - Kalman Filter is one option



KALMAN FILTER

- Advantages of Kalman Filter:
 - Simultaneous track finding and track fitting
 - No inversion of large matrices needed
- What do we need?
 - State vector describing the track (track parameters)
 - Measurements (hits in our detector)
 - Measurement transformation (from track parameters to measurements)
 - Transportation matrix (from plane $k \rightarrow k+1$)
 - Measurement noise (detector resolution)
 - **Process noise (includes multiple scattering)**

More about Kalman Filter:
"A new approach to linear filtering and prediction problems" (1960)

KALMAN FILTER: TRACK MODEL

- Track model:

Model how track parameters at a given detector plane k-1 depend on the track parameters on plane k

$$x_k = F_{k|k-1}x_{k-1} + w_k$$

Process noise (multiple scattering)

$$V_\theta = \begin{pmatrix} \theta_{\text{ms}}^2 & 0 \\ 0 & \theta_{\text{ms}}^2 \end{pmatrix}$$

Covariance matrix of scattering angles

- Measurement model

$$m_k = H_k x_k + \epsilon_k$$

$$Q_k = \frac{\partial g_{\text{ms}}(\theta_1, \theta_2)}{\partial p_k} = G_k V_\theta G_k^\top$$

Change of track parameter with respect to scattering angles

Measurement noise (position resolution)

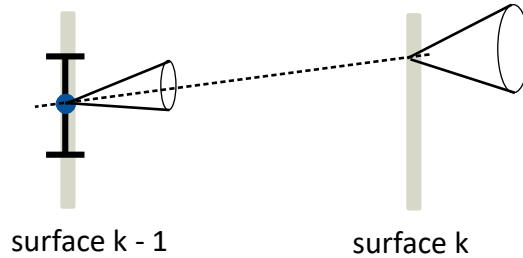
$$V_k = \begin{pmatrix} \sigma_{\text{int},x}^2 & 0 \\ 0 & \sigma_{\text{int},y}^2 \end{pmatrix}$$

More about covariance matrices for Kalman Filter track fitting

KALMAN FILTER: TRACK FITTING

- Start with defining some initial state and initial covariance matrix (uncertainty)
- Then propagate track state through detector planes

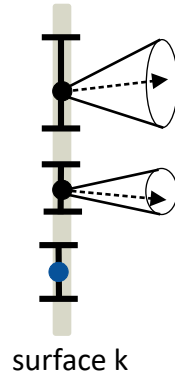
1) Prediction step



$$x_k = F_{k|k-1}x_{k-1}$$

$$C_{k|k-1} = F_{k|k-1}C_{k-1|k-1}F_{k|k-1}^T + Q_{k-1}$$

2) Filter/Update step:



$$x_{k|k} = x_{k|k-1} + K_k(m_k - H_kx_{k|k-1})$$

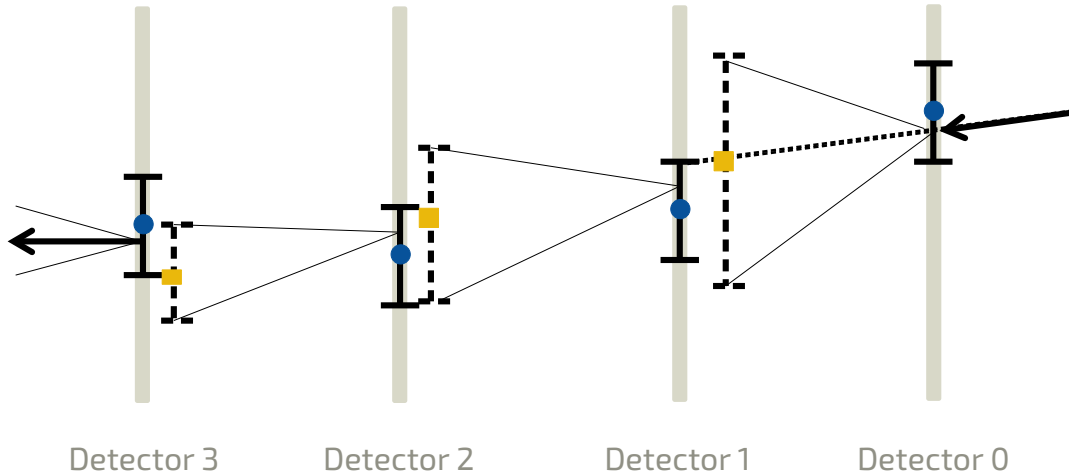
$$C_{k|k} = (1 - K_kH_k)C_{k|k-1}$$

Update step shrinks
covariance matrix since
more information is added!

TRACKING: KALMAN FILTER

The more information we add, the smaller the error on the track state is!

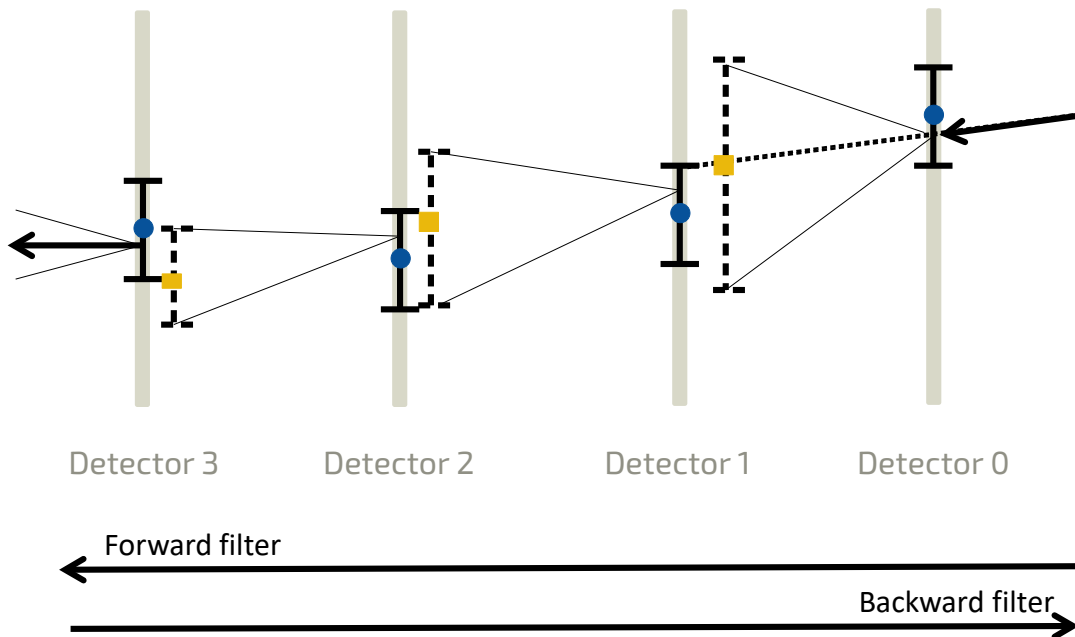
- predictions
- measurements



TRACKING: KALMAN FILTER

The more information we add, the smaller the error on the track state is!

- predictions
- measurements



Smoothing: combine forward and backward filter (to include information before and after scattering)

RESIDUALS

$$S = \sum_{i=1}^N \frac{(\xi_i^{\text{meas}} - \xi_i^{\text{fit}}(\theta))^2}{\sigma_i^2}$$

- How can we „judge“ a track fit? -> **residuals**

$$\Delta r_x = x_{\text{hit}} - x_{\text{track}}$$

- Unbiased and biased residuals**

$$\sigma_{\text{res}} = \sqrt{\sigma_{\text{meas}}^2 + \sigma_{\text{track}}^2}$$

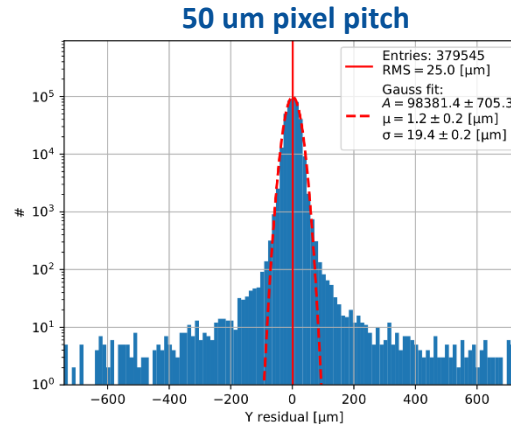
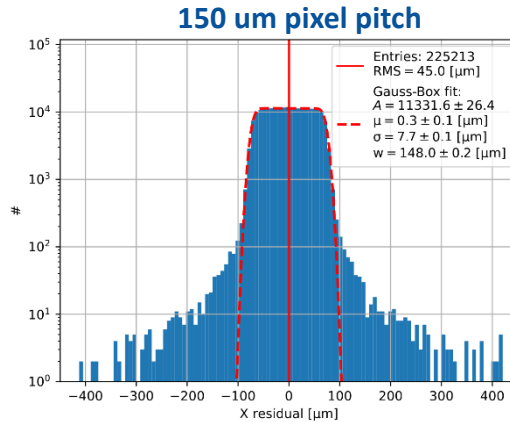
$$\sigma_{\text{res}} = \sqrt{\sigma_{\text{meas}}^2 - \sigma_{\text{track}}^2}$$

Unbiased: Hit in DUT is **not included** in track fit

Biased: Hit in DUT is **included** in track fit

This is what we have minimised

Resolution is dominated
by pixel pitch
Box distribution with
RMS = 45 μm
($\sim 150/\sqrt{12}$)

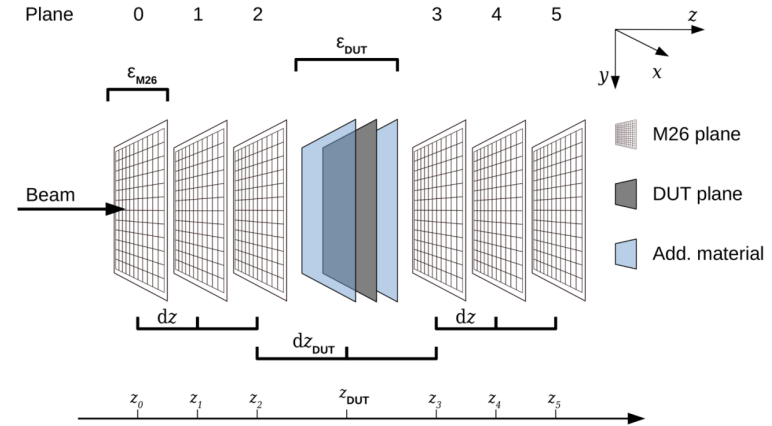


Resolution is dominated
by multiple scattering
Gaussian distribution
with $\sigma = 19 \mu\text{m}$
($\sim 50/\sqrt{12}$)

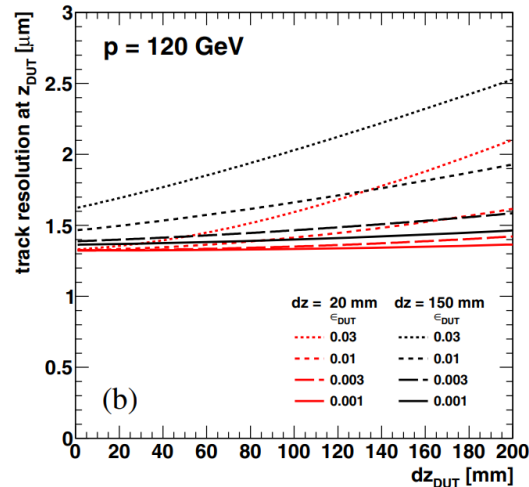
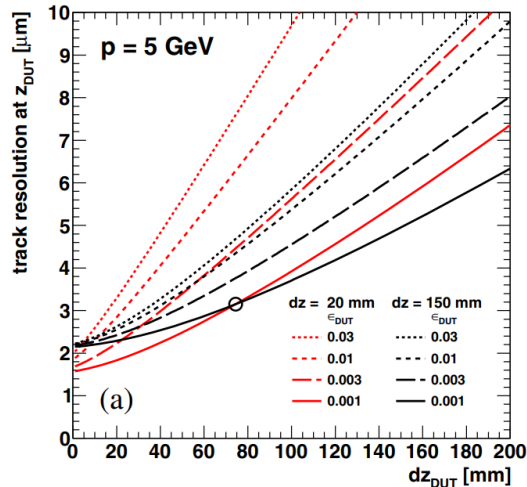
TELESCOPE CONFIGURATION

[H. Jansen et al.]

- Goal: Optimise track resolution at DUT depending on „size“ of DUT
- Telescope spacing: dz
- DUT spacing: dz_{DUT}
- Material budget (of DUT): ϵ_{DUT}



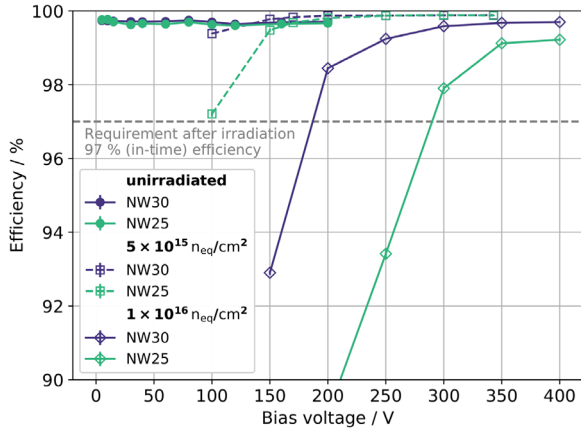
[H. Jansen et al.]



DETECTOR CHARACTERISATION RESULTS

EFFICIENCY AND CHARGE COLLECTION

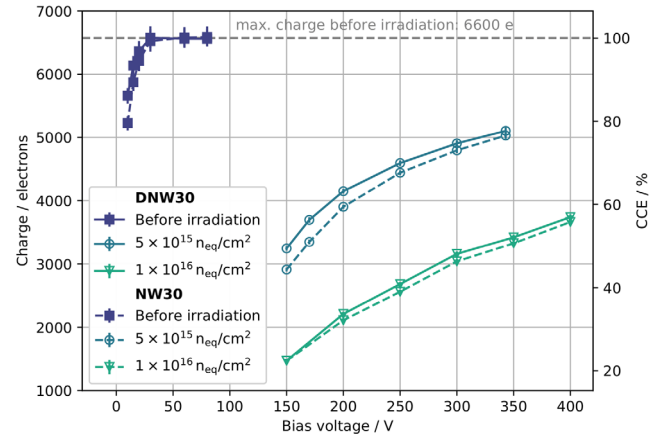
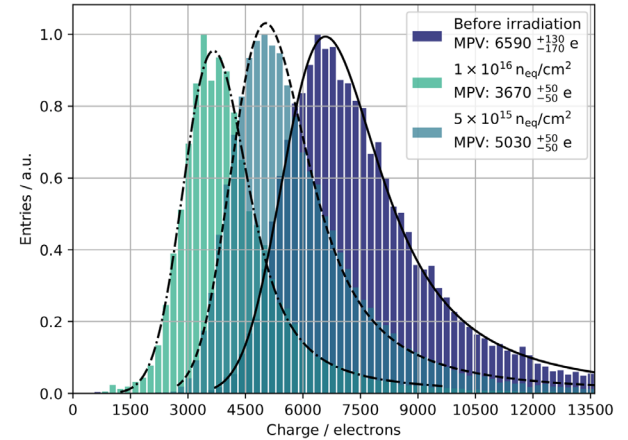
- Measure efficiency and charge collection as a function of bias voltage ...
 - ... for different detection threshold settings
 - ... different levels of irradiation



Hit detection efficiency
(noise occupancy is important!)

$$\epsilon = \frac{N_{\text{tracks}}^{\text{DUT}}}{N_{\text{tracks}}^{\text{total}}}$$

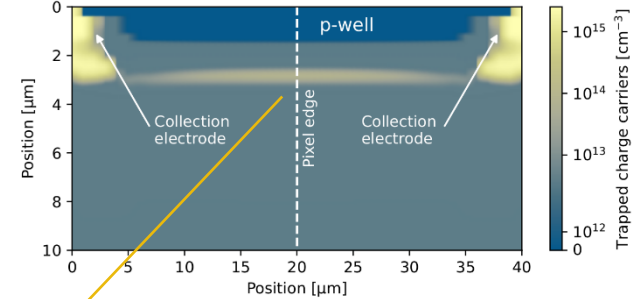
Typical requirement for silicon tracking detectors
99 % efficiency before irradiation
97 % efficiency after irradiation



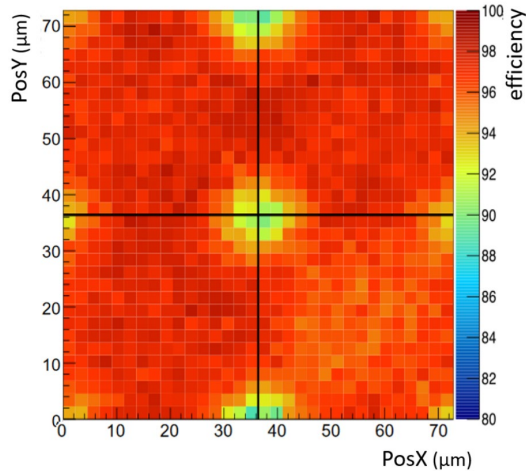
IN-PIXEL STUDIES

- Map all data into pixel unit cell to see „what happens inside the pixel“ -> **in-pixel plots**
- Gives useful insights into charge collection processes in sensor

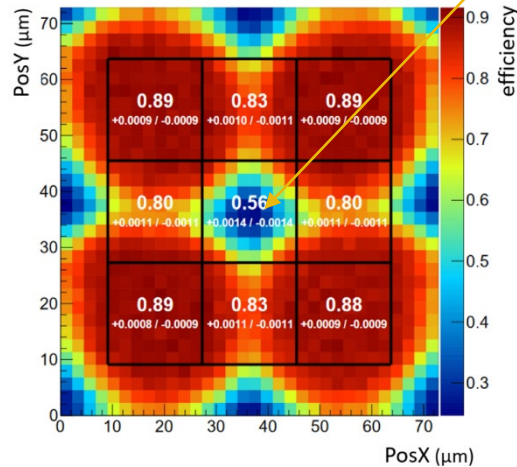
[Christian Bespín, PhD thesis]



Before irradiation



After irradiation



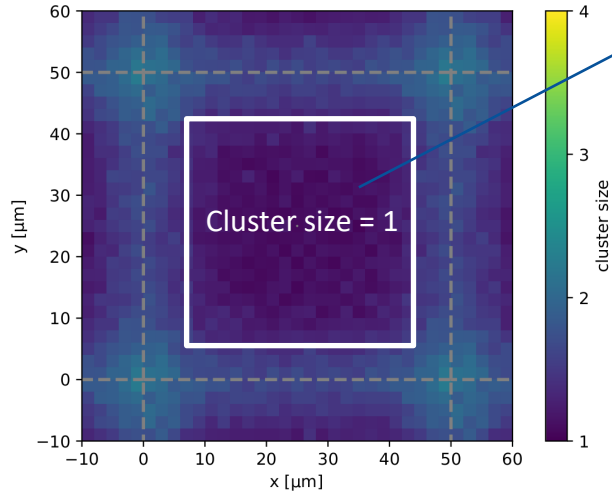
Low E-fields in inter-pixel region causing efficiency drop

More about the Characterisation of the MALTA CMOS sensor

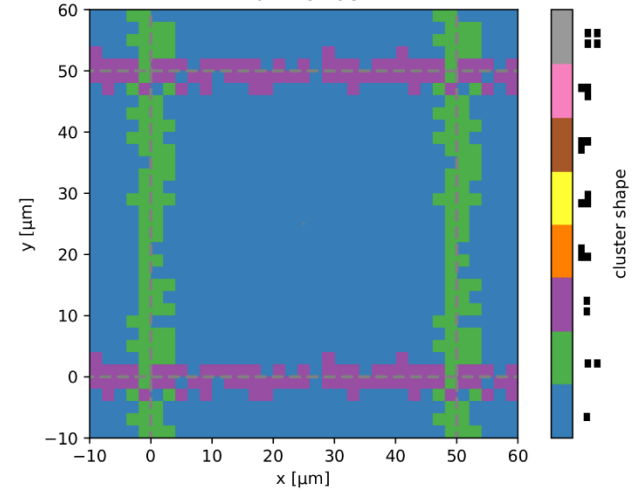
IN-PIXEL STUDIES

... we can also map cluster size into one pixel ...

The larger the diffusion is, the smaller this „cluster size 1 area“ is



Average **cluster size** inside pixel ($50 \times 50 \mu\text{m}^2$)



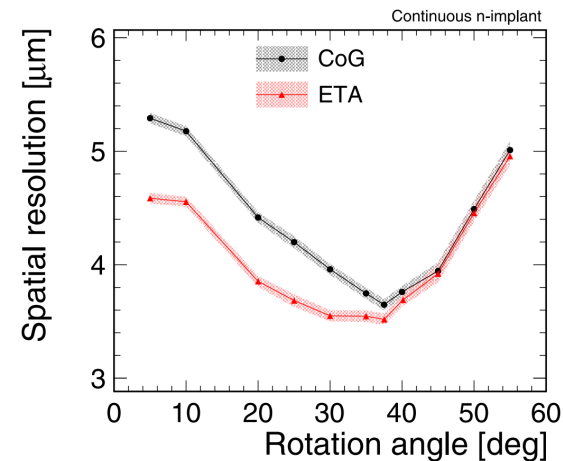
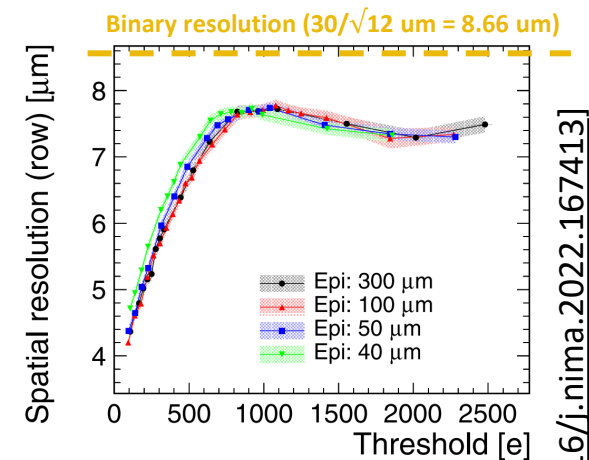
Dominant **cluster shape** inside pixel ($50 \times 50 \mu\text{m}^2$)

SPATIAL RESOLUTION

- Spatial resolution depends on...
 - threshold setting -> charge sharing!
 - rotation angle -> charge sharing!

$$\sigma_{\text{res}} = \sqrt{\sigma_{\text{meas}}^2 + \sigma_{\text{track}}^2}$$

Spatial resolution of detector



[<https://doi.org/10.1016/j.nima.2022.167413>]

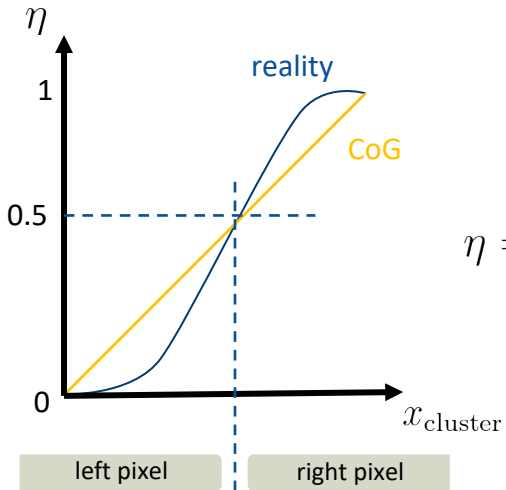
SPATIAL RESOLUTION

- Spatial resolution depends on...
 - threshold setting -> charge sharing!
 - rotation angle -> charge sharing!
 - ... **cluster reconstruction algorithm**
- Centre-of-gravity method not suitable if large

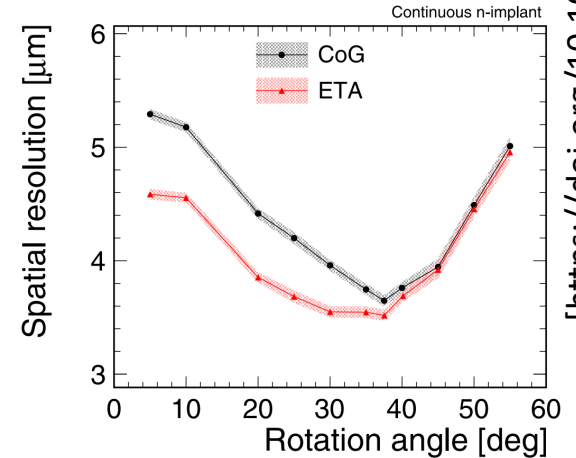
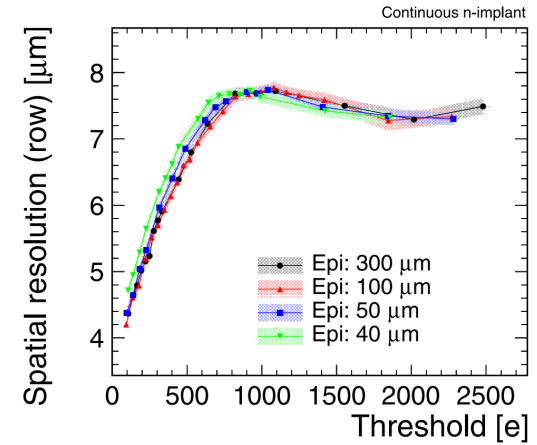
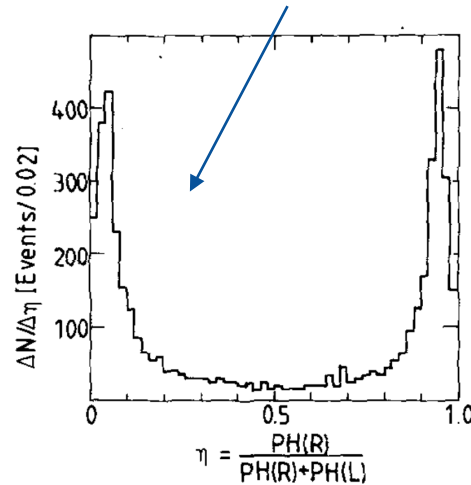
More in: Turchetta et al., A335 (1993) 44-58

$$\frac{\text{pitch}}{\sigma_{\text{diff}}} \text{ is}$$

η distribution is not flat -> non linear charge division!



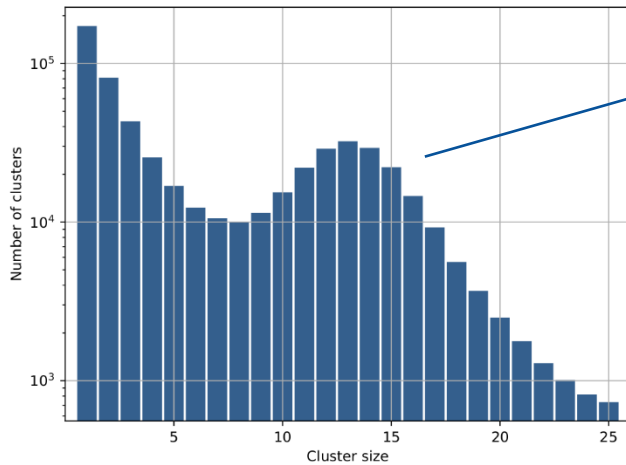
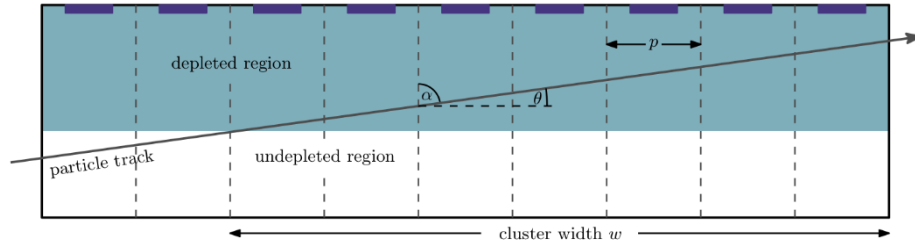
$$\eta = \frac{Q_1}{Q_1 + Q_2}$$



[https://doi.org/10.1016/j.nima.2022.167413]

GRAZING ANGLE TECHNIQUE

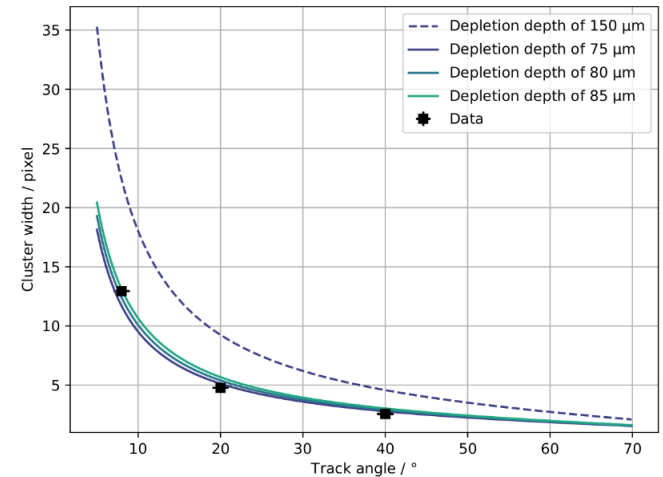
One can even study **depletion depth** using so-called „angular scans“ („grazing angle“ technique)



Cluster size enhancement due to large track angle

depletion depth

$$w [\text{pixel}] = \frac{d}{p \cdot \tan \theta} + 1$$



A QUICK WORD ABOUT SIMULATIONS

- Beam time can be ...
 - ... Costly
 - ... Rare to get
 - ... Tideoous (a lot of night shifts + complex setup)
- Sometimes it is easier to use a simulation instead of measuring everything (you can have a lot of design variants!)
- Many nice tools available like
 - GEANT4
 - Allpix²
 - TCAD
 -



[GEANT4]



[TCAD]

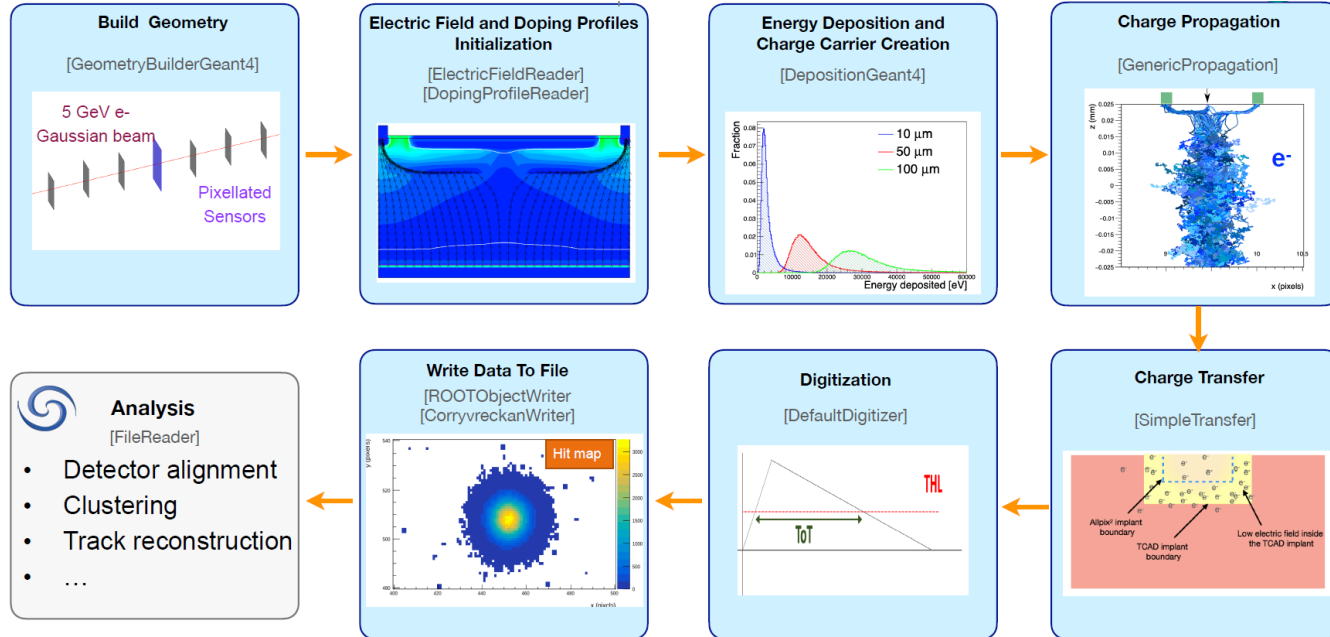


[Allpix²]

A COMPLETE SIMULATION OF DEVICE IN TEST BEAM



More about
simulating
doping profiles



[Taken from Sara Ruiz]

More about Monte
Carlo simulating a
beam telescope

TAKE HOME MESSAGE

- Device characterisation consists of
 - Lab testing + test beam
 - Irradiation
 - (Simulation)

... to understand the detector and do design adjustments if needed
- A beam telescope setup in combination with a high energetic particle beam is a very powerful tool to characterise the detector
 - Particle reconstruction is key
 - We can study spatial resolution, charge collection, efficiency, ... of our detectors
- Simulation can help us to characterise detector if many design variants need to be studied

LITERATURE

- N. Wermes and H. Kolanoski, „**Particle Detectors: Fundamentals and Applications**“
- R. Frühwirth et al., „**Data Analysis Techniques for High-Energy Physics**“
- Many papers, links, ... on slides ;)



THANK YOU FOR YOUR ATTENTION!