Searches for Dark Matter at the LHC

Emmy Noether-Programm

Uni Bonn seminar 11 April 2023

Spyros Argyropoulos





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FOV 132° OBSERVE 🗸

Coma Berenices

Coma Cluster

B.O.ØT/ES

URSANDRARO

URSAMAJOR

· L L U ·

HERCULES

LYRA

CYGNUS



22:08:42 2024-04-11



First evidence – 1930

Tabelle 4.

Objekt	Verhältnis: Leuchtende + dunkle Materie	Mittlere Zahl der Sterne für
,	Leuchtende Materie	Lichtjahre
Messier 81	100:1 (?)	0.20 (?)
N.G.C. 4594	30:1	0.042
Andromedanebel	20; I	0.006
Messier 51	IO: I	0.012
Milchs Die Masse, Messie nositätsma	die auf diese Weise berechne asse, enthält begreiflicherweise	et wird, die Lumi- nicht die Masse der
dunklen Kö	rper des Systems (erloschene S	terne, dunkle Nebel,
Meteore, Ke	ometen usw.) Um die totale M	asse oder die Gra-

K. Lundmark, Lund Medd. No125 (1930) 1



1. Luminosity

2. Distance



Luminous mass

Gravitational mass 3. Rotation

4

First evidence – 1933



Um, wie beobachtet, einen mittleren Dopplereffekt von 1000 km/sek oder mehr zu erhalten, müsste also die mittlere Dichte im Comasystem mindestens 400 mal grösser sein als die auf Grund von Beobachtungen an leuchtender Materie abgeleitete¹). Falls sich dies bewahrheiten sollte, würde sich also das überraschende Resultat ergeben, dass dunkle Materie in sehr viel grösserer Dichte vorhanden ist als leuchtende Materie.

F. Zwicky, Helv.Phys.Acta 6 (1933) 110



Nature Astronomy 5,1308 (2021)

Zwicky used Virial theorem on Coma Cluster: $\langle E_k \rangle = -\frac{1}{2} \langle V \rangle \Rightarrow \langle v^2 \rangle = \frac{GM}{R} \Rightarrow \sqrt{\langle v^2 \rangle} = 80 \text{ km/s}$



Flat rotation curves - 1960/1970s





In 1962 in Georgetown, I was teaching a graduate course on statistical astronomy. My class had six students... I gave the students (plus me as a student) a research problem: Can we use cataloged stars to determine a rotation curve for stars distant from the center of our Galaxy? We submitted our paper [V.C.Rubin et al, AJ 67 (1962) 491] to the Astronomical Journal. The editor called me to say he accepted it, but he would not publish the names of students. When I said, "Then I withdraw the paper," he relented. The abstract stated: "For R > 8.5 kpc the stellar curve is flat, and does not decrease as is expected for Keplerian orbits" (Rubin et al. 1962, p. 491). Following its publication, the many comments I received were negative and some very unpleasant: it couldn't be correct, or the data were not good enough.



V.C. Rubin, Annu. Rev. Astron. Astrophys. 2011. 49:1–28



CMB discovery



1. indicated that distribution of radiation and matter are very different (smooth vs clumpy) ⇒ non-baryonic / non-interacting matter [Peebles]

2. marked the transition to a new era: "particle physics entered the picture with the Universe being deployed as a heavenly laboratory" [M.S.Turner, Annu. Rev. Nucl. Part. Sci. 2022. 72:1]

Dark Malter from particle cosmology

Cosmic Microwave Background



Gravitational Lensing





Large Scale Structure







Dark Malter properties

- stable <u>1407.2418</u>
- electrically neutral, interacts weakly with SM <u>1011.2907</u>
- non-relativistic ("cold")
- non-baryonic
- probably "matter" (not modified gravity)
- can't consist solely of dark astronomical objects (MACHO)*

*see <u>1906.08217</u>, <u>2402.00212</u> for a different argument

-Look for stable weakly interacting massive BSM particles





Dark Matter candidates

10^{-22} eV peV meV keV

Fuzzy DM

QCD axion

Axion-Like Particles

Hidden Sector DM / Freeze-in

many (well motivated) options and parameter space is vast

• in the following I will assume DM = thermal WIMPs

Gev	Tev	PeV	$10^{66} \text{ eV} \sim 5.$
Thermal			Primordia
WIMPs			Black
			Holes



Thermal WIMPs

- WIMPs produced at thermal equilibrium $ff \rightleftharpoons \chi \bar{\chi}$ at high temperatures T_0 (end of inflation)
- As temperature cools down interaction falls out of equilibrium
- Comoving density freezes out at $T_F \ll T_0$

Relic density
$$\Omega_{\chi} \propto \frac{1}{\langle \sigma v \rangle} \sim \frac{m_{\chi}^2}{g_{\chi}^4}$$

- WIMP miracle: for particles of mass close to weak scale and interaction strength close to weak scale we get the correct relic abundance
- NB1: Assumptions about cosmological history can change the picture!
- NB2: non-perturbative effects can also change the picture!



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How do we look for Dark Malter?





DM

+ axion searches (which I will not cover at all)



Colliders









Controlled environment
 Independent of assumptions a interstellar space

Purcell et al, JCAP 08(2012) 027 ; Bozorgnia et al, JCAP 07 (2020) 036 ; Necib et al, Nature Astron. 4 (2020) 11



Independent of assumptions about DM distribution & propagation in





- particle factories probe vast range of interactions & energy scales
- need various approaches: DD/ID signatures might vanish in certain parameter regions - might only be visible at colliders

Direct Detection



Colliders





A/a

Types of DM models

Effective Field Theory

$$\mathcal{L} = \mathcal{L}_{\rm SM} + \frac{c}{\Lambda^{d-4}} \mathcal{O}_{\rm DM}^{(d)}$$

✓ 1 parameter (Λ)
 ✗ problematic at high energies
 ✗ used only in Run 1



very few parametersminimal particle content

Complete



e.g. MSSM
several new particles
✓ predictions for everything
X ≥ 20 parameters
X very hard to constrain



Standard Model

Types of portals I will discuss today: 1. SM Higgs

- 2. s-channel (single colourless mediator)
- 3. t-channel (coloured mediators)
- 4. Extended Higgs sector
- 5. Extended Higgs + gauge sector





for more models see <u>SA, Brandt, Haisch, Symmetry 2021 13 (12) 2406</u>



1. The SM Higgs portal

The SM Higgs portal

- We know that DM should be colourless & electrically neutral
- If DM corresponds to a single field \Rightarrow SM singlet \rightarrow can only couple to SM via SM Higgs boson

Possible couplings

• scalar: $\mathscr{L} \supset \lambda_{h\phi\phi} H^{\dagger} H \phi^2$: renormalisable

fermion:
$$\mathscr{L} \supset \frac{\lambda_{h\chi\chi}}{\Lambda} H^{\dagger} H \bar{\chi} \chi$$

- manifestly non-renormalisable
- can be UV-completed with a scalar singlet or with extra fermions [2101.02507]
- vector: $\mathscr{L} \supset \lambda_{hVV} H^{\dagger} H V_{\mu} V^{\mu}$
 - violates unitarity since it lacks "dark Higgs" that would generate V_{μ} mass
 - various UV completions suggested [Arcadi et al, 2101.02507, DiFranzo et al, 1512.06853.pdf]



Higgs to invisible



Phys. Lett. B 842 (2023) 137963

ATLAS combination: $BR(h \rightarrow inv) < 10.7 (7.7)\%$ obs (exp) CMS combination: $BR(h \rightarrow inv) < 15 (8)\%$ obs (exp)









Interpretation



colliders complement DD at low masses \Rightarrow no collider sensitivity when $m_{DM} > m_h/2$



Derivative Higgs portal

$$\mathcal{L}\supset \frac{c_d}{\Lambda^2}\left(\partial_\mu\phi^2\right)\left(\partial^\mu(H^\dagger H)\right)$$

- Derivative interactions arise in theories with pNGB → composite Higgs
- DD cross-section momentum-suppressed essentially DD constraints disappear
- Colliders offer the only possibility to probe this
 - $m_{DM} < m_h/2$: Higgs to invisible
 - $m_{DM} > m_h/2$: off-shell VBF Higgs + E_T^{miss} and potentially top $+ X + E_T^{miss}$

Rudhofer et al, 1910.04170; Haisch et al, 2107.12389





2. s-channel models

s-channel models

- Developed at the end of Run 1 to overcome issues of DM EFT theories
- Introduce a single mediator coupling SM-DM 4 possibilities
 - scalar, pseudo-scalar, vector, axial vector
- Parameters: $g_{\text{DM}}, g_{\text{SM}}, m_{\text{med}}, m_{\text{DM}}$



ssues of DM EFT theories4 possibilities

D

Mediators	Couplings		
	DM	Quarks	Leptons
Scalar	1	1	1
seudo-scalar	1	1	1
Vector 1	1	0,25	0
Vector 2	1	0,1	0,01
xial vector 1	1	0,25	0
xial vector 2	1	0,1	0,1

Phys. Dark Univ. 26 (2019) 100371 Phys.Dark Univ. 27 (2020) 100365 Phys.Dark Univ. 26 (2019) 100377



Scalar + pseudo-scalar mediators

- Similar processes with $h \rightarrow inv$
- Dominated by $t\bar{t} + E_T^{m_{1SS}}$ (since couplings are Yukawa-like) which stops at $2m_{top}$
- searches for $t\bar{t}t\bar{t}$ and $t\bar{t}$ resonances can help to gain sensitivity for $m_{\rm med} > 2m_{\rm top}$
- Pseudoscalar mediator looks very similar



Vector mediators



CMS Public plots

- Di-jet searches dominate in leptophobic scenario
- For non leptophobic scenarios several complementary signatures including $E_T^{\text{miss}} + X$ for $m_{\text{med}} > 2m_{\text{WIMP}}$

ATL-PHYS-PUB-2022-036



Axial-vector mediator

Lepto-phobic



- Visible resonance searches generally dominate and $m_{\rm med} \lesssim 3.5$ TeV excluded
- Narrow region where RD constraints can be satisfied

Coupling to Leptons

ATL-PHYS-PUB-2022-036

• For AV couplings non-leptophobic benchmark dominated by di-lepton constraints ($g_l = g_q$)



Re-interpretation tool

ATLAS+CMS developed tool to rescale limits for V/AV s-channel models [2203.12035] • analytical rescaling from one set of $\{g_q, g_{\chi}\}$ couplings to another rescaling from vector to axial-vector including impact of PDFs



Translate published constraints to different parameter planes ➡ facilitate comparison with DD experiments & PBC benchmarks <u>2206.03456</u>







3. E-channel models

t-channel models

Basic properties of simplified DM models

- \mathbb{Z}_2 symmetry makes DM stable (DM \mathbb{Z}_2 -odd)
- Mediator
 - \mathbb{Z}_2 -even \rightarrow s-channel models (DM produced in pairs)
 - \mathbb{Z}_2 -odd \rightarrow t-channel models (DM can be produced singly)
 - also in t-channel mediator has to be coloured and electrically charged

MSSM: DM=neutralino, mediator=squark (gluinos decoupled)

Various possibilities for spin/multiplet assignments Generic framework developed for handling all possible signatures → White paper with pheno in preparation





E-channel



Y (med.) S	Self-conj.	Spin	X (DM)
a_{1} a_{2} a_{2} a_{3} a_{4} 1	yes	0	$ ilde{S}$
$\varphi_Q, \varphi_u, \varphi_d$ 1	no	0	S
100 10 101	yes	1/2	$ ilde{\chi}$
$\varphi_Q, \varphi_u, \varphi_d$	no	1/2	χ
also also also 1	yes	1	$ ilde{V}_{\mu}$
ψ_Q, ψ_u, ψ_d	no	1	V_{μ}

Arina et al, PLB813 (2021) 136038 Arina, Fuks, Mantani, EPJC80 (2020) 5, 409



t-channel signatures

Jets + E_T^{miss}

Off the beaten path:

- single top + E_T^{miss} (flavoured DM)
- Same-sign tops + E_T^{miss}
- Charm + E_T^{miss} (charm-philic DM)
- Long-Lived Particle signatures

White-paper with phenomenology & recommendations for Run 3 in preparation in LHC DM WG









Acaroglu, Blanke, 2109.10357



4. Extended Higgs sectors

The need for extended Higgs sectors

• "Simplified models" = single s-channel mediator



• Scalar mediator has to be embedded in extended Higgs sector (mixing with Higgs) ★ bonus: resonant signatures



Englert et al, 1604.07975; Haisch, Polesselo, 1812.00694; Bell et al, 1503.07874

 $\mathcal{M} \sim \ln^2 s$ violates unitarity





The 2 Higgs Doublet Model

- 5 Higgs bosons
- 5 parameters considered: $m_A, m_H, m_{H\pm}$ a: mixing between H, h tanβ: ratio of vacuum expectation values
- Different Yukawa structures suppressed/enhanced couplings to fermions
- Alignment limit: $cos(\beta a) = 0$ h has the same couplings as the SM Higgs
- related to other models (e.g. axion, MSSM, ...)



Branco et al, Phys.Rept. 516 (2012) 1 Rompotis, Ferrari, Symmetry 2021,13,2144



Constraints on 2HDM



- Higgs coupling measurements: we are close to alignment limit
- $cos(\beta \alpha) = 0 \& m_A = m_H = m_{H\pm}$



Gfitter, EPJC 78 (2018) 675

• EW precision, flavour measurements: H⁺ must be degenerate with A or H ⇒ in all 2HDM DM benchmarks considered at the LHC so far are Type II with



Model #1: 2HDM + scalar

- 2HDM Type-II
- Extra scalar mediator S that couples to DM
- Mixing between CP-even scalars
- 6 Higgs bosons
- Resonant signatures



Bell et al, 1612.03475; Arcadi et al, 2001.10540

$H = \cos\theta H + \sin\theta S$ $S = -\sin\theta \tilde{H} + \cos\theta \tilde{S}$





A

S



2HDM + scalar: constraints

- Not very much explored @ LHC
- Scalar mediator ⇒ dominant constraints from direct detection

★ DD experiments blind in certain regions

- scalars are degenerate (m_s=m_H)
- $tan\beta \approx 1$
- even for models that are considered DD territory, LHC can provide complementary constraints



Model #2: 2HDM + pseudoscalar

- 2HDM Type-II
- Mixing between CP-odd Higgses
- 6 Higgs bosons
- Extra pseudoscalar mediator a that couples to DM
 - suppressed DD constraints
 - originally proposed to explain Fermi-LAT excess
- Very rich phenomenology: colliders + ID + DD



<u>Ipek, et al, 1404.3716</u>; <u>No, 1509.01110</u>; <u>Goncalves, et al, 1611.04593</u>; <u>Bauer, et al, 1701.07427</u>; <u>Abe et al, 1810.09420</u>

 $A = \cos\theta A + \sin\theta \tilde{a}$ $a = -\sin\theta A + \cos\theta \tilde{a}$







2HDM + pseudoscalar: constraints

2HDM+a, Dirac DM, sin θ = 0.35, tan β = 1, m_{γ} = 10 GeV, g_{γ} = 1, m_{A} = m_{H} = $m_{H^{\pm}}$



- the most sensitive channels
- Goal for the future: close sensitivity gaps (e.g. low m_A, m_a at intermediate tan β)





• A lot of parameter space excluded, $m_a \gtrsim 500$ GeV, $m_A \gtrsim 1$ TeV for a range of mixing angles • Since the publication of our review ATLAS has also performed a statistical combination of



- $m_a > m_h/2 \& low m_x: X + E_T^{miss}$
- $m_a < m_h/2$: generally because of $h \rightarrow aa$ tight constraints from total Higgs width unless finely tuned
 - $m_x < m_a/2 : h \rightarrow invisible$
 - $m_x > m_a/2 : h \rightarrow 4$ fermions



• $B \to X_{s}\gamma$ constrains $m_{H^{\pm}} \gtrsim 600$ GeV in Type-II • This implies that all Higgs bosons have to be heavy • In Type-I basically no constraint for $\tan \beta \gtrsim 3$ Type-I 2HDM can accommodate light Higgses

Type-I 2HDMa expected exclusion

- Truth-level sensitivity studies for 5 final states
- Unexplored final states:
 - $b\bar{b}\ell\ell$ $m(b\bar{b}) < 125 \text{ GeV}$
 - $b\bar{b} + E_T^{\text{miss}} m(b\bar{b}) < 125 \text{ GeV}$
 - $4\ell + E_T^{\text{miss}}$ (needs full Run 2+3 data and a lot of optimisation)
 - $W^{\pm}H^{\mp}(cs)$
- And more (e.g. $hh + E_T^{miss}$, ...)

SA, Haisch, Kalaitzidou, 2404.05704

5. Extended Higgs + gauge sectors

Model #3: extra Higgs + 2'

- SM or extended Higgs sector extended by spontaneously broken U(1)'
- Higgs sector extended with
 - an extra singlet "dark Higgs" [M. Duerr et al, 1701.08780]
 - or a doublet (2HDM) "dark Z'" [<u>A Berlin et al, 1402.7074</u>] which might or might not carry U(1)' charge
- Generally Z' coupling only to quarks to avoid dilepton constraints
- Also constraints from EW measurements (Z-Z' mixing) and dijets

h

Zh resonance

2HDM + vector: constraints

- For both models visible Z' decays provide more stringent constraints
- This seems hard to tune away
- LHC benchmarks do not consider this so far

2HDM+Z'

We discussed that

1. There is a lot of complementarity between DM searches at colliders and DD/ID experiments

2. DD/ID experiments are blind to certain models colliders may be the only viable option to discover DM

3. Plethora of models being explored

There is still a lot to explore

Several models not covered in this talk under active investigation

- models with long-lived particles [SA, Brandt, Haisch, Symmetry 13 (2021) 2406, Haisch, Schnell, 2302.02735, ...]
- models with confining dark sectors [Bose et al, 2209.13128]

Extensions of standard benchmarks with relaxed assumptions / change of focus

- hierarchical 2HDM [Butterworth et al, 2009.02220]
- Type-I in fermiophobic limit [Haisch, Malinauskas, 1712.06599]
- low-mass Higgses [Dutta et al, 2308.05653, Biekötter et al, 2203.13180, ...]

Completely new models not that widely explored so far

- fermionic portal to vector dark matter [Belyaev et al, 2204.03510]
- 3 Higgs doublet models [Hernandez-Sanchez et al, 2012.11621 + ...]

2024 LHC DM WG workshop Roadmap of Dark Matter Models for LHC Run 3

13-17 May 2024 CERN http://cern.ch/lhcdm24

Backeyp

2HDM couplings

Coupling modifier	Type I	Type II
ξ (h,u)	$c_{\alpha} \perp c_{\alpha} / t_{\alpha}$	s _{β-a} +c _{β-a} /t _β
ξ(h,d), ξ(h,l)	5β-α⊤℃β-α/ιβ	Sβ-α-Cβ-αtβ
ξ(H,u)	oo /+-	Cβ-a-Sβ-a/tβ
ξ(H,d), ξ(H,l)	⊂β-α-5β-α/τβ	Cβ-a+Sβ-atβ
ξ(A,u)	1 /+ -	1/t _β
ξ(A,d), ξ(A,l)	ΤΛΓΒ	tβ
ξ(h,VV)	Sβ-α	
ξ(H,VV)	Cβ-α	
ξ(A,VV)	0	

2HDM constraints

SM Higgs portal

 $c_m \phi^2 (H^\dagger H)$

Rudhofer et al, 1910.04170; Haisch et al, 2107.12389; SA, Brandt, Haisch 2109.13597

- DM scalar dim 4 operator
- LHC constraints relevant for m < 5 GeV
- ID constraints from Fermi-LAT assume $\phi \phi \rightarrow$ bb and

2HDM + scalar: WIMP-nucleon cross-section

Wilson coefficient of
$$\chi \bar{\chi} NN$$

 $c_N = \frac{m_N}{v} \frac{y_{\chi} \sin(2\theta)}{2} \left(\frac{1}{m_{S_1}^2} - \frac{1}{m_{S_2}^2} \right)$
 $\times \left[\cot \beta f_{T_u}^N - \tan \beta \sum_{q=d,s} f_{T_q}^N + \frac{4 \cot \beta - 2 \tan \beta}{27} f_{T_G}^N \right]$

- Up and down-quark contributions interfere destructively in Type-II
- Numerically close to 0 for $tan\beta \approx 1$

DD scalar vs pseudoscalar

2HDM+a - Large mixing

2HDM+a - mixing angle scan

0.9

Constraints from taus

Phys. Rev. Lett. 125 (2020) 051801

$$\begin{split} \Gamma(h \to aa) &= \frac{g_{haa}^2 m_h}{32\pi} \chi \\ g_{haa} &= \frac{1}{m_h v} \left[2 \left(m_A^2 - m_a^2 + \frac{m_h^2}{2} - \lambda_3 v^2 \right) \sin^2 \theta \right. \\ &= \frac{1}{m_h v} \left[2 \left(m_A^2 - m_a^2 + \frac{m_h^2}{2} \right) \sin^2 \theta - 2\lambda_3 v^2 \right] \\ \end{split}$$

LHC VS g-2

- Original idea from Arcadi, Djouadi & Queiroz (2112.11902) to simultaneously explain DM & muon g-2
- Can also evade constraints from **Γ**_h
- Large tanβ and small m_a needed to get the correct sign for δa_{μ}
- $h \rightarrow 4f$ extend down to very low m_x because $\Gamma(a \rightarrow \chi \chi) \sim y_{\chi}^2 \cos^2 \theta = 0.005$
- h→inv has small BR and MET spectrum very soft so mono-h(bb) has no sensitivity

<u>However</u>

- 1. g-2 motivated region already ruled out
- 2. Non-perturbative Haa coupling (g_{Haa} ~ 40) leading to
 - $\Gamma_{\rm H} > m_{\rm H}$ over the whole $m_{\rm a}$ - $m_{\rm X}$ plane

[GeV]

 m_{χ}

2HDM+Z': coupling scan

Higgs vs Z portal

DM Z DM

 $BR(h \to inv) \sim \frac{g_h^2 m_h}{\Gamma(h)}$

 $\frac{g_h}{g_Z} = \sqrt{\frac{\text{BR}(h \to BR)}{\text{BR}(Z \to BR)}}$ $\sim 10^2$

$$BR(Z \rightarrow inv) \sim \frac{g_Z^2 m_Z}{\Gamma(Z)}$$

$$\frac{(a)}{(a)} \cdot \frac{m_Z}{m_h} \cdot \frac{\Gamma(h)}{\Gamma(Z)} \sim 0.4$$

$$\frac{(a)}{(a)} \sim \frac{(a)}{(a)} \sim 0.4$$

